## **An-Najah National University Faculty of Engineering and IT**



### جامعة النجاح الوطنية كلية المندسة وتكنولوجيا المعلومات

# Chemical Engineering Department Wastewater Effluent Treatment Processes (10626584) Midterm Exam

Instructor Name: Amjad El-Qanni Student Name: .....

Academic Year: 2021/2022 Registration Number: .....

Semester: Fall Serial Number: ......

Credit Hours: 3 Section: ......

Date: November 18<sup>th</sup>, 2021 Total Exam Mark: 25 Exam Duration: 80 minutes Exam Weight: 25

Question	Marks	Question Grade
Q1	5	
Q2	4	
Q3	6	
Q4	4	
Q5	6	
Total (	Grade	

#### Notes:

- 1- Closed Books & Notes.
- 2- Read each problem carefully before attempting to solve it.
- 3- Write all work on this exam paper.
- 4- Show **complete solutions** to get full marks.

Good Luck

Exam

#### Q1 (10 Marks):

Below you have 10 short questions. For each question indicate if it is True or False. Fill out your answers in the Table.

- 1. Settling tanks are also called as sedimentation tanks.
- 2. Rapid sand filters require large area compared to slow sand filters.
- 3. The direction of water in filter beds is reversed for backwashing or cleaning.
- 4. Flocculent settling is the step involved in the settling process in solid thickening facilities.
- 5. Sieves and screens are examples of depth filters.
- 6. Baffle walls provided in sedimentation tanks to prevent short circuit.
- 7. Sedimentation is a process using gravity to remove suspended solids from water.
- 8. The accumulated layer at the bottom of the sedimentation tank is called sludge.
- 9. Turbidity is the main factor usually used for the selection of the filtration method.
- 10. According to the gravity separation theory, non-spherical particles settle slower than spherical particles.

1	2	3	4	5	6	7	8	9	10
T	F	Т	F	F	Т	Т	Т	Т	Т

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**Q2** (4 Marks): What power input in (kW) is required to achieve a mixing intensity (G) of 950 s<sup>-1</sup> in a mechanical rapid mixing tank with a mean hydraulic detention time of 50 s at a water flow of 6000 m<sup>3</sup>/day? Assume a water viscosity of  $1.3 \times 10^{-3}$  Pa.s.

Q3 (6 Marks): The rate of reaction for an enzyme-catalyzed substrate in a batch reactor can be described by the following relationship:

$$r_c = \frac{kC}{K+C}$$

where k = maximum reaction rate (mg/L)

C = substrate concentration (mg/L)

K = constant (mg/L)

Using this rate expression, derive an equation that can be used to predict the reduction of substrate concentration with time in a batch reactor. If k = 40 mg/L.min and K = 100 mg/L, determine the time required to decrease the substrate concentration from 1000 to 100 mg/L.

Accumulation = inflow - outflow + generation

$$\frac{dC}{dt}V = 0 - 0 + (-\frac{kC}{K+C})V$$

2. Solve the mass balance for t

$$\left(\frac{K+C}{C}\right)dC = -k\ dt$$

$$\int_{C_0}^{C} \left[ \left( \frac{K}{C} \right) + 1 \right] dC = -k \int_{0}^{t} dt$$

$$K \ln(C_o/C) + (C_o - C) = kt$$

$$t = \frac{K \ln(C_o/C) + C_o - C}{k}$$

3. Compute t for the given data:

$$C_0 = 1000 \text{ mg/m}^3$$

$$C = 100 \text{ mg/m}^3$$

$$k = 40 \text{ mg/m}^3 \cdot \text{min}$$

$$K = 100 \text{ mg/m}^3$$

$$t = \frac{100 \; ln(1000/100) \; + (1000-100)}{40} = 28.3 \; min$$

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**Q4 (4 Marks):** The contents of a tank are to be mixed with a turbine impeller that has six flat blades ( $N_P = 3.5$ ). The diameter of the impeller is 3 m, and the impeller is installed 1.25 m above the bottom of 6 m deep tank. If the temperature is 30 °C ( $\rho = 995.7 \frac{kg}{m^3}$  and  $\mu = 0.798 \times 10^{-3} Pa.s$ ) and the impeller is rotated at 30 rev/min, calculate Reynolds number and the power consumption in (kW)?

1. Compute the Reynolds number (N<sub>R</sub>) using Eq. (5-11) in p337.

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\begin{split} N_R &= \frac{D^2 n \rho}{\mu} \\ &\text{Required data:} \\ D &= 3 \text{ m} \\ \\ &n = 30 \text{ r/min} = 0.5 \text{ r/s} \\ &\rho = 995.7 \text{ kg/m}^3 \text{ (Table C-1)} \\ &\mu = 0.798 \text{ x } 10^{-3} \text{ N+s/m}^2 \text{ (Table C-1)} \\ &N_R = \frac{(3 \text{m})^2 (0.5 \text{ r/s}) (995.7 \text{ kg/m}^3)}{(0.798 \text{ x} 10^{-3} \text{ N+s/m}^2)} = 5.6 \text{ x} 10^6 \text{ (turbulent mixing)} \\ &2. \quad \text{Compute the power consumption using Eq. (5-9) in p336.} \\ &P = N_P \rho n^3 D^5 \\ &\text{Required data: } N_P = 3.5 \text{ (see Table 5-11 in p338).} \\ &P = (3.5) (995.7 \text{ kg/m}^3) (0.5 \text{ r/s})^3 \text{ (3 m)}^5 = 105.855 \text{ kg*m}^2/\text{s}^3 \text{ (W)} \end{split}
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**Q5** (6 Marks): Giving your background industrial wastewater treatment, you have been asked to design a single rectangular sedimentation tank to treat an effluent wastewater flow of 70 L/s at a design overflow rate of 40 m<sup>3</sup>/m<sup>2</sup>.d and a temperature of 10 °C. Determine:

- 1) The tank dimensions (width, length, and depth) for a detention time of 3 h and a length to width ratio of 4 to 1.
- 2) The sedimentation tank behaves like an ideal plug flow reactor, will all particles with a diameter  $\geq 50~\mu m$  and a density of 1250 kg/m³ be completely removed by the ideal sedimentation tank? (Assume Stock's law applies, and for water at 10 °C,  $\mu = 1.306 \times 10^{-3}~N.s/m^2$  and density = 1000 kg/m³).
- 3) If the flow rate to the sedimentation tank is doubled, resulting in a higher overflow rate, would the particle removal efficiency decrease, increase, or stay the same? Explain briefly and qualitatively.



#### **Formula Sheet**

Constants / Conversions					
$R = 8.314 \frac{kPa.m^3}{kmol.K} = 8.314$	$N_A = 6.023$	$3x10^{26} \frac{molec}{kmc}$	ules ol	$g = 9.81 \text{m/s}^2$	
$R = 0.08205 \frac{atm.m^3}{kmol.K}$					$1 cP = 10^{-3} Pa.s$
101.325  kPa = 1  atm	00 kPa	$1 L = 1000 \text{ cm}^3 = 1000 \text{ mL} = 0.001 \text{ m}^3$			
	760 mmHg	g = 1 atm			
Reactor Design					
Batch	STR		<u>PFR</u>		
$\frac{dC}{dt}V = rV$	$\frac{C}{t}V = QC_o - QC_e + rV$		$-Q\frac{\partial C}{\partial V} + r = \frac{\partial C}{\partial t}$		
CSTR in series				Gen	eral PFR (n≥0, n≠1):
$C_i = \frac{C_o}{(i-1)!} \left(\frac{t}{\tau_i}\right)^{i-1} e^{-t/\tau_i}$			$\tau = \frac{1}{2}$	$\frac{V}{Q} = \frac{1}{k} \left( \frac{C_o^{-n+1}}{-n+1} - \frac{C^{-n+1}}{-n+1} \right)$	
Geometric Shapes					
$V_{sphere} = \frac{4}{3} \pi r^3$		$SA_{sphere} = 4$	Ter <sup>2</sup>	$V_{cylino}$	$_{der} = \pi r^2 h$

Mixing and Power		
Power: $P = \gamma Qh$		
$G = \sqrt{\frac{P}{\mu V}}$	$G\tau = \frac{V}{Q}\sqrt{\frac{P}{\mu V}} = \frac{1}{Q}$	$\sqrt{\frac{PV}{\mu}}$
Static Mixer	Turbine Mixer:	
$h \approx k \left(\frac{v^2}{2g}\right) \approx K_{SM} v^2$	$P = N_p \rho n^3 D^5$ $Q = N_Q n D^3$	$N_R = \frac{D^2 n \rho}{\mu}$
		Turbulent range, $N_R \ge 10,000$
Paddle mixer:		
$F_D = \frac{C_D A \rho v_p^2}{2}$ $P = F_D v_p = \frac{C_D A \rho v_p^3}{2}$		
2 2 2		

Gravity Separation Theory			
Newton's Law: $v_{p(t)} = \sqrt{\frac{4g}{3C_d\phi} \left(\frac{\rho_p - \rho_w}{\rho_w}\right)} d_p \approx \sqrt{\frac{4g}{3C_d\phi}} (S_g - 1) d_p$	$C_d = \frac{24}{N_R} + \frac{3}{\sqrt{N_R}} + 0.34$	$N_R = \frac{v_p d_p \phi \rho_w}{\mu} = \frac{v_p d_p \phi}{v}$	
Stokes Law for spherical particles: $v_p = \frac{g(\rho_p - \rho_w)d_p^2}{18\mu} \approx \frac{g(sg_p - 1)d_p^2}{18\nu}$	$v_{c} = \frac{h_{o}}{\tau} = \frac{h_{o}Q}{V} = \frac{Q}{LW}$	$=\frac{Q}{A_s}=OR$	
Discrete Particle Settling:	Fraction removed	Total fraction removed	
$X_r = \frac{v_p}{v_c}$	$= (1 - X_c) + \int_0^{x_c} \frac{v_p}{v_c} dx = \frac{\sum_{i=1}^n \frac{v_{n_i}}{v_c}(n_i)}{\sum_{i=1}^n n_i}$		
Flocculent settling (column test): $v_c = \frac{H}{t_c}$	$R,\% = \sum_{h=1}^{n} \left(\frac{\Delta h_n}{H}\right) \left(\frac{R_n + R_{n+1}}{2}\right)$		

Depth Filtration					
$ES = d_{10}$	UC=	d <sub>60</sub> /d <sub>10</sub>	Darcy-Weisbach equation:		
			$\Delta P = \lambda \frac{L}{D} \frac{\rho v^2}{2}$		
Backwash Hydraulic:					
$F_G = mg = (\rho_P - \rho_W) \left(\frac{\pi}{6} d^3\right)$		$F_D = \begin{cases} 3\pi\mu\nu d, R_e < 2.0\\ \frac{2.31}{R_e^{0.6}}\pi\rho_w v^2 d^2, 2 \le R_e \le 500 \end{cases}$		$v = \left[ \frac{g(\rho_P - \rho_W)d^{1.6}}{13.9\rho_W^{0.4}\mu^{0.6}} \right]^{0.714}$	
$h = L_e (1 - \varepsilon_e) \left( \frac{\rho_s - \rho_w}{\rho_w} \right)$		$\frac{L_e}{L} = \frac{1-\varepsilon}{1-\varepsilon_e} = \frac{1-\varepsilon}{1-(v/v_s)^{0.22}}$		$\frac{L_e}{L} = (1 - \varepsilon) \sum \frac{p}{(1 - \alpha_e)}$	
$\frac{d_1}{d_2} = \left(\frac{\rho_2 - \rho_w}{\rho_1 - \rho_w}\right)^{0.625}$		$H_t = H_o + \sum_{i=1}^n (h_i)_t$		$(h_i)_t = a(q_i)_t^b$	