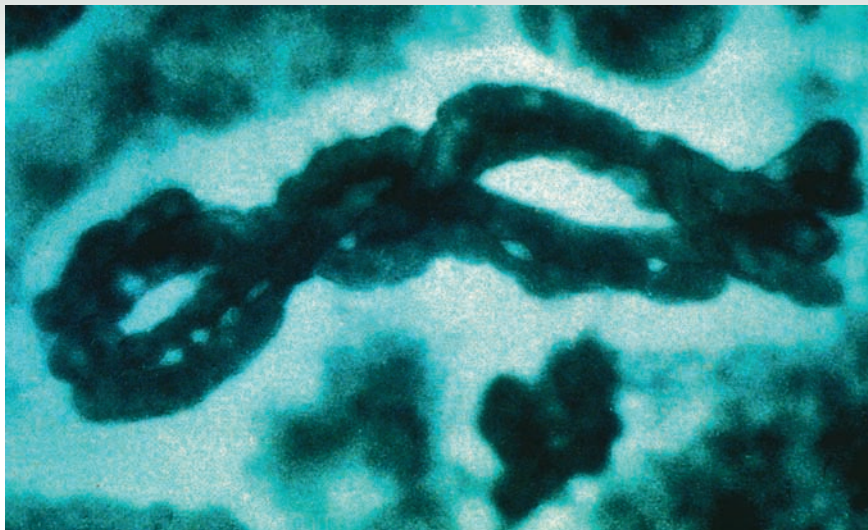


CHAPTER OUTLINE

- 6.1 Linkage and Crossing Over
- 6.2 Genetic Mapping in Plants and Animals
- 6.3 Genetic Mapping in Haploid Eukaryotes
- 6.4 Mitotic Recombination



Crossing over during meiosis. This event provides a way to reassort the alleles of genes that are located on the same chromosome.

6

GENETIC LINKAGE AND MAPPING IN EUKARYOTES

In Chapter 2, we were introduced to Mendel's laws of inheritance. According to these principles, we expect that two different genes will segregate and independently assort themselves during the process that creates gametes. After Mendel's work was rediscovered at the turn of the twentieth century, chromosomes were identified as the cellular structures that carry genes. The chromosome theory of inheritance explained how the transmission of chromosomes is responsible for the passage of genes from parents to offspring.

When geneticists first realized that chromosomes contain the genetic material, they began to suspect that a conflict might sometimes occur between the law of independent assortment of genes and the behavior of chromosomes during meiosis. In particular, geneticists assumed that each species of organism must contain thousands of different genes, yet cytological studies revealed that most species have at most a few dozen chromosomes. Therefore, it seemed likely, and turned out to be true, that each chromosome would carry many hundreds or even thousands of different genes. The transmission of genes located close to each other on the same chromosome violates the law of independent assortment.

In this chapter, we will consider the pattern of inheritance that occurs when different genes are situated on the same

chromosome. In addition, we will briefly explore how the data from genetic crosses are used to construct a **genetic map**—a diagram that describes the order of genes along a chromosome. Newer strategies for gene mapping are described in Chapter 20. However, an understanding of traditional mapping studies, as described in this chapter, will strengthen our appreciation for these newer molecular approaches. More importantly, traditional mapping studies further illustrate how the location of two or more genes on the same chromosome can affect the transmission patterns from parents to offspring.

6.1 LINKAGE AND CROSSING OVER

In eukaryotic species, each linear chromosome contains a very long segment of DNA. A chromosome contains many individual functional units—called genes—that influence an organism's traits. A typical chromosome is expected to contain many hundreds or perhaps a few thousand different genes. The term **synteny** means that two or more genes are located on the same chromosome. Genes that are syntenic are physically linked to each other, because each eukaryotic chromosome contains a single, continuous, linear molecule of DNA. **Genetic linkage** is the phenomenon in which genes that are close together on the same

chromosome tend to be transmitted as a unit. Therefore, genetic linkage has an influence on inheritance patterns.

Chromosomes are sometimes called **linkage groups**, because a chromosome contains a group of genes that are physically linked together. In species that have been characterized genetically, the number of linkage groups equals the number of chromosome types. For example, human somatic cells have 46 chromosomes, which are composed of 22 types of autosomes that come in pairs plus one pair of sex chromosomes, the X and Y. Therefore, humans have 22 autosomal linkage groups, and an X chromosome linkage group, and males have a Y chromosome linkage group. In addition, the human mitochondrial genome is another linkage group.

Geneticists are often interested in the transmission of two or more characters in a genetic cross. When a geneticist follows the variants of two different characters in a cross, this is called a **dihybrid cross**; when three characters are followed, it is a **trihybrid cross**; and so on. The outcome of a dihybrid or trihybrid cross depends on whether or not the genes are linked to each other along the same chromosome. In this section, we will examine how linkage affects the transmission patterns of two or more characters.

Crossing Over May Produce Recombinant Genotypes

Even though the alleles for different genes may be linked along the same chromosome, the linkage can be altered during meiosis. In diploid eukaryotic species, homologous chromosomes can exchange pieces with each other, a phenomenon called **crossing over**. This event occurs during prophase of meiosis I. As discussed in Chapter 3, the replicated chromosomes, known as sister chromatids, associate with the homologous sister chromatids to form a structure known as a **bivalent**. A bivalent is composed of two pairs of sister chromatids. In prophase of meiosis I, it is common for a sister chromatid of one pair to cross over with a sister chromatid from the homologous pair.

Figure 6.1 considers meiosis when two genes are linked on the same chromosome. One of the parental chromosomes carries the *A* and *B* alleles, while the homolog carries the *a* and *b* alleles. In Figure 6.1a, no crossing over has occurred. Therefore, the resulting haploid cells contain the same combination of alleles as the original chromosomes. In this case, two haploid cells carry the dominant *A* and *B* alleles, and the other two carry the recessive *a* and *b* alleles. The arrangement of linked alleles has not been altered.

In contrast, Figure 6.1b illustrates what can happen when crossing over occurs. Two of the haploid cells contain combinations of alleles, namely *A* and *b* or *a* and *B*, which differ from those in the original chromosomes. In these two cells, the grouping of linked alleles has changed. An event such as this, leading to a new combination of alleles, is known as **genetic recombination**. The haploid cells carrying the *A* and *b*, or the *a* and *B*, alleles are called **nonparental cells** or **recombinant cells**. Likewise, if such haploid cells were gametes that participated in fertilization, the resulting offspring are called nonparental offspring or

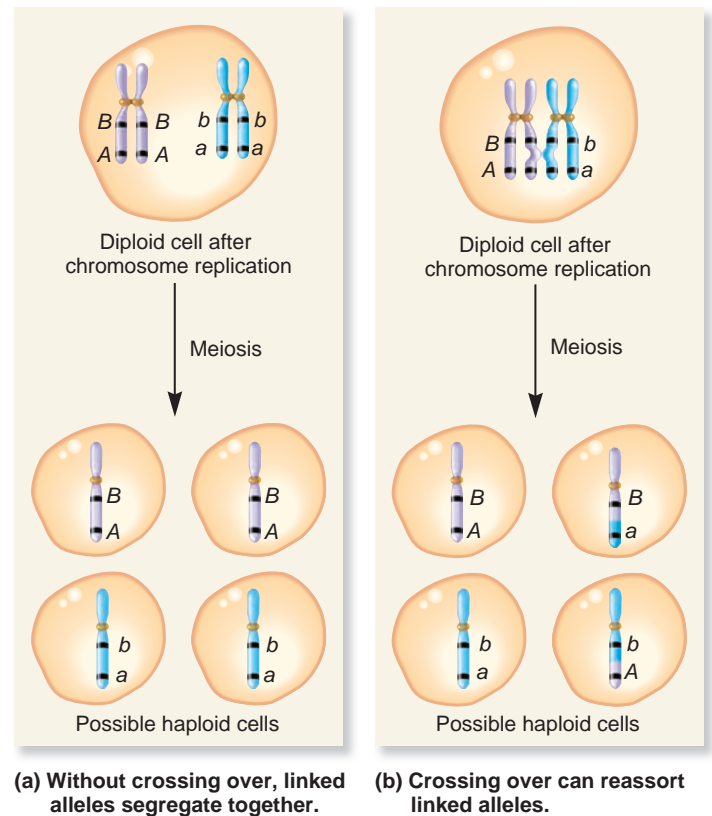


FIGURE 6.1 Consequences of crossing over during meiosis. (a) In the absence of crossing over, the *A* and *B* alleles and the *a* and *b* alleles are maintained in the same arrangement found in the parental chromosomes. (b) Crossing over has occurred in the region between the two genes, producing two nonparental haploid cells with a new combination of alleles.

recombinant offspring. These offspring can display combinations of traits that are different from those of either parent. In contrast, offspring that have inherited the same combination of alleles that are found in the chromosomes of their parents are known as **parental offspring** or **nonrecombinant offspring**.

In this section, we will consider how crossing over affects the pattern of inheritance for genes linked on the same chromosome. In Chapter 17, we will consider the molecular events that cause crossing over to occur.

Bateson and Punnett Discovered Two Traits That Did Not Assort Independently

An early study indicating that some traits may not assort independently was carried out by William Bateson and Reginald Punnett in 1905. According to Mendel's law of independent assortment, a dihybrid cross between two individuals, heterozygous for two genes, should yield a 9:3:3:1 phenotypic ratio among the offspring. However, a surprising result occurred when Bateson and Punnett conducted a cross in the sweet pea involving two different traits: flower color and pollen shape.

As seen in **Figure 6.2**, they began by crossing a true-breeding strain with purple flowers (*PP*) and long pollen (*LL*) to

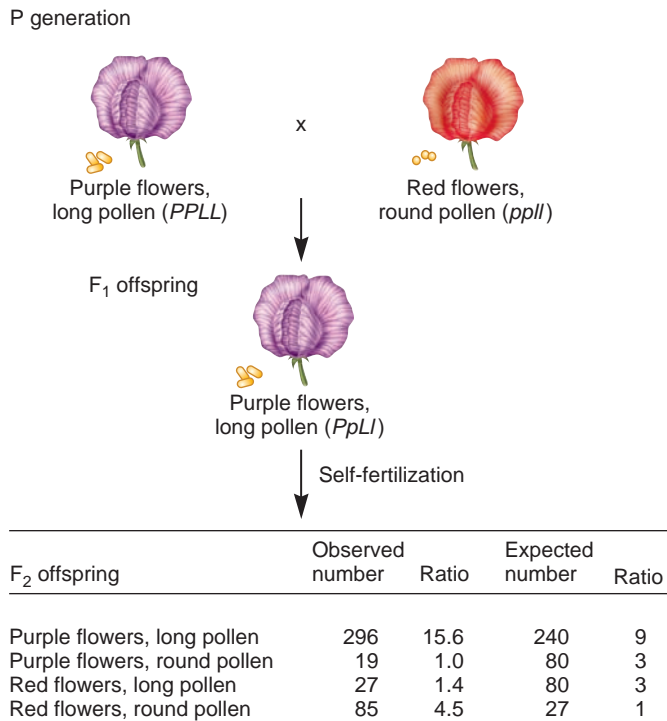


FIGURE 6.2 An experiment of Bateson and Punnett with sweet peas, showing that independent assortment does not always occur. Note: The expected numbers are rounded to the nearest whole number.

Genes → Traits Two genes that govern flower color and pollen shape are found on the same chromosome. Therefore, the offspring tend to inherit the parental combinations of alleles (*PL* or *pl*). Due to occasional crossing over, a lower percentage of offspring inherit nonparental combinations of alleles (*Pl* or *pL*).

a strain with red flowers (*pp*) and round pollen (*ll*). This yielded an F₁ generation of plants that all had purple flowers and long pollen (*PpLl*). An unexpected result came from the F₂ generation. Even though the F₂ generation had four different phenotypic categories, the observed numbers of offspring did not conform to a 9:3:3:1 ratio. Bateson and Punnett found that the F₂ generation had a much greater proportion of the two phenotypes found in the parental generation—purple flowers with long pollen and red flowers with round pollen. Therefore, they suggested that the transmission of these two traits from the parental generation to the F₂ generation was somehow coupled and not easily assorted in an independent manner. However, Bateson and Punnett did not realize that this coupling was due to the linkage of the flower color gene and the pollen shape gene on the same chromosome.

Morgan Provided Evidence for the Linkage of X-Linked Genes and Proposed That Crossing Over Between X Chromosomes Can Occur

The first direct evidence that different genes are physically located on the same chromosome came from the studies of Thomas Hunt Morgan in 1911, who investigated the inheritance pattern of different characters that had been shown to follow an

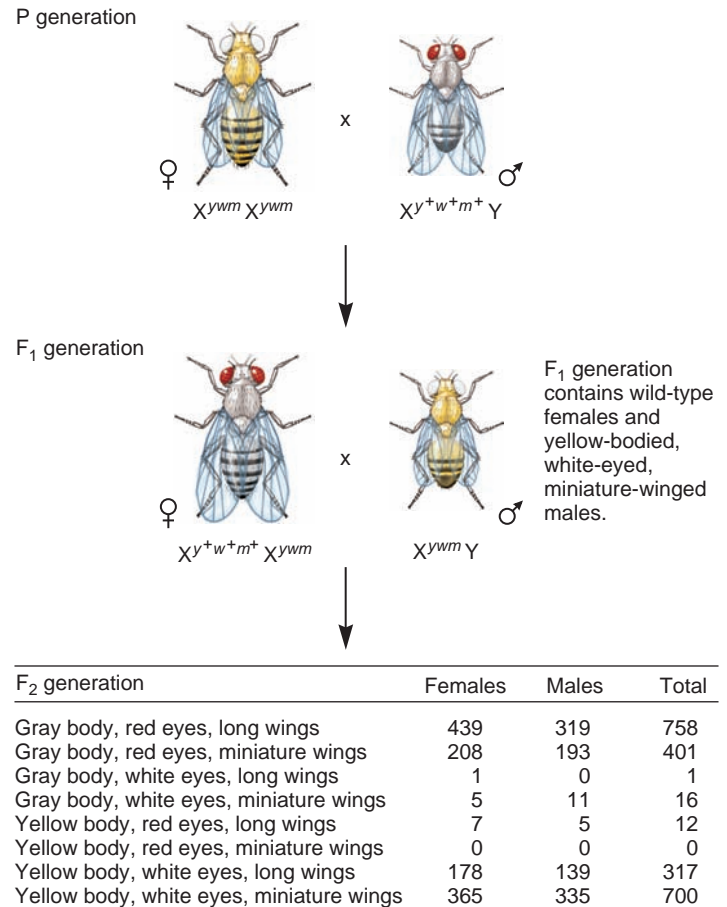


FIGURE 6.3 Morgan's trihybrid cross involving three X-linked traits in *Drosophila*.

Genes → Traits Three genes that govern body color, eye color, and wing length are all found on the X chromosome. Therefore, the offspring tend to inherit the parental combinations of alleles ($y^+ w^+ m^+$ or $y w m$). Figure 6.5 explains how single and double crossovers can create nonparental combinations of alleles.

X-linked pattern of inheritance. **Figure 6.3** illustrates an experiment involving three characters that Morgan studied. His parental crosses were wild-type male fruit flies mated to females that had yellow bodies (*yy*), white eyes (*ww*), and miniature wings (*mm*). The wild-type alleles for these three genes are designated y^+ (gray body), w^+ (red eyes), and m^+ (long wings). As expected, the phenotypes of the F₁ generation were wild-type females, and males with yellow bodies, white eyes, and miniature wings. The linkage of these genes was revealed when the F₁ flies were mated to each other and the F₂ generation examined.

Instead of equal proportions of the eight possible phenotypes, Morgan observed a much higher proportion of the combinations of traits found in the parental generation. He observed 758 flies with gray bodies, red eyes, and long wings, and 700 flies with yellow bodies, white eyes, and miniature wings. The combination of gray body, red eyes, and long wings was found in the males of the parental generation, and the combination of yellow body, white eyes, and miniature wings was the same as the females of the parental generation. Morgan's explanation for this higher proportion of parental combinations was that all three

genes are located on the X chromosome and, therefore, tend to be transmitted together as a unit.

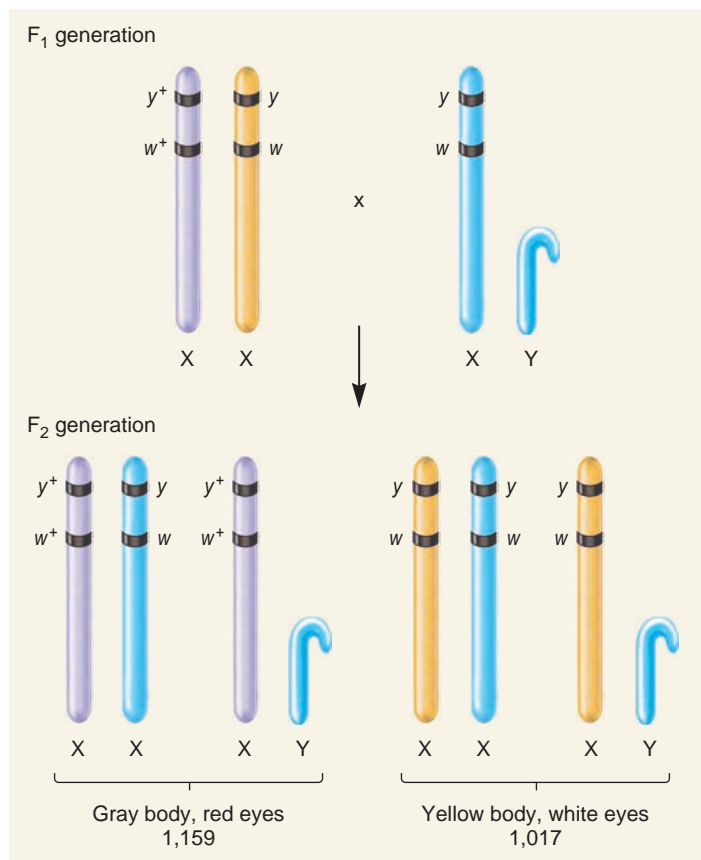
However, to fully account for the data shown in Figure 6.3, Morgan needed to explain why a significant proportion of the F₂ generation had nonparental combinations of alleles. Along with the two parental phenotypes, five other phenotypic combinations appeared that were not found in the parental generation. How did Morgan explain these data? He considered the studies conducted in 1909 of the Belgian cytologist Frans Alfons Janssens, who observed chiasmata under the microscope and proposed that crossing over involves a physical exchange between homologous chromosomes. Morgan shrewdly realized that crossing over between homologous X chromosomes was consistent with his data. He assumed that crossing over did not occur between the X and Y chromosome and that these three genes are not found on the Y chromosome. With these ideas in mind, he hypothesized that the genes for body color, eye color, and wing length are all located on the same chromosome, namely, the X chromosome. Therefore, the alleles for all three characters are most likely to be inherited together. Due to crossing over, Morgan also proposed that the homologous X chromosomes (in the female) can exchange pieces of chromosomes and produce new (nonparental)

combinations of alleles and nonparental combinations of traits in the F₂ generation.

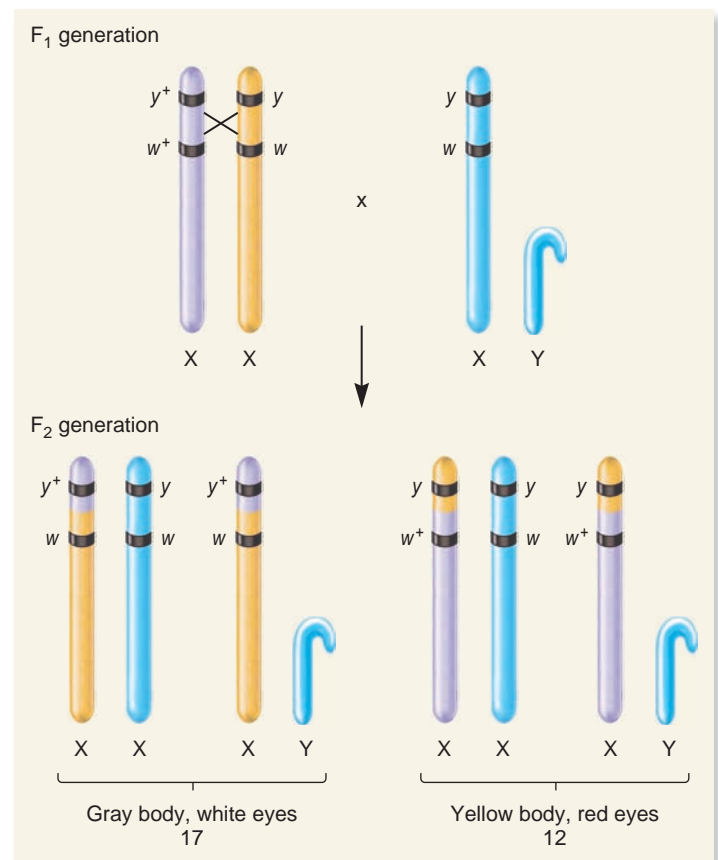
To appreciate Morgan's proposals, let's simplify his data and consider only two of the three genes: those that affect body color and eye color. If we use the data from Figure 6.3, the following results were obtained:

Gray body, red eyes	1159	
Yellow body, white eyes	1017	
Gray body, white eyes	17	} Nonparental offspring
Yellow body, red eyes	12	
Total	2205	

Figure 6.4 considers how Morgan's proposals could account for these data. The parental offspring with gray bodies and red eyes or yellow body and white eyes were produced when no crossing over had occurred between the two genes (Figure 6.4a). This was the more common situation. By comparison, crossing over could alter the pattern of alleles along each chromosome and account for the nonparental offspring (Figure 6.4b). Why were there relatively few nonparental offspring? These two genes are very close



(a) No crossing over, parental offspring



(b) Crossing over, nonparental offspring

FIGURE 6.4 Morgan's explanation for parental and nonparental offspring. As described in Chapter 3, crossing over actually occurs at the bivalent stage, but for simplicity, this figure shows only two X chromosomes (one of each homolog) rather than four chromatids, which would occur during the bivalent stage of meiosis. Also note that this figure shows only a portion of the X chromosome. A map of the entire X chromosome is shown in Figure 6.8.

together along the same chromosome, which makes it unlikely that a crossover would be initiated between them. As described next, the distance between two genes is an important factor that determines the relative proportions of nonparental offspring.

The Likelihood of Crossing Over Between Two Genes Depends on the Distance Between Them

For the experiment of Figure 6.3, Morgan also noticed a quantitative difference between nonparental combinations involving body color and eye color versus eye color and wing length. This quantitative difference is revealed by reorganizing the data of Figure 6.3 by pairs of genes.

Gray body, red eyes	1159	
Yellow body, white eyes	1017	
Gray body, white eyes	17	} Nonparental offspring
Yellow body, red eyes	12	
Total	2205	
Red eyes, long wings	770	
White eyes, miniature wings	716	
Red eyes, miniature wings	401	} Nonparental offspring
White eyes, long wings	318	
Total	2205	

Morgan found a substantial difference between the numbers of nonparental offspring when pairs of genes were considered separately. Nonparental combinations involving only eye color and wing length were fairly common—401 + 318 nonparental offspring. In sharp contrast, nonparental combinations for body color and eye color were quite rare—17 + 12 nonparental offspring.

How did Morgan explain these data? Another proposal that he made was that the likelihood of crossing over depends on the distance between two genes. If two genes are far apart from each other, crossing over is more likely to occur between them compared to two genes that are close together.

Figure 6.5 illustrates the possible events that occurred in the F_1 female flies of Morgan's experiment. One of the X chromosomes carried all three dominant alleles; the other had all three recessive alleles. During oogenesis in the F_1 female flies, crossing over may or may not have occurred in this region of the X chromosome. If no crossing over occurred, the parental phenotypes were produced in the F_2 offspring (Figure 6.5a). Alternatively, a crossover sometimes occurred between the eye color gene and the wing length gene to produce nonparental offspring with gray bodies, red eyes, and miniature wings or yellow bodies, white eyes, and long wings (Figure 6.5b). According to Morgan's proposal, such an event is fairly likely because these two genes are far apart from each other on the X chromosome. In contrast, he proposed that the body color and eye color genes are very close together, which makes crossing over between them an unlikely event. Nevertheless, it occasionally occurred, yielding offspring with gray bodies, white eyes, and miniature wings, or with

yellow bodies, red eyes, and long wings (Figure 6.5c). Finally, it was also possible for two homologous chromosomes to cross over twice (Figure 6.5d). This double crossover is very unlikely. Among the 2205 offspring Morgan examined, he found only 1 fly with a gray body, white eyes, and long wings that could be explained by this phenomenon.

A Chi Square Analysis Can Be Used to Distinguish Between Linkage and Independent Assortment

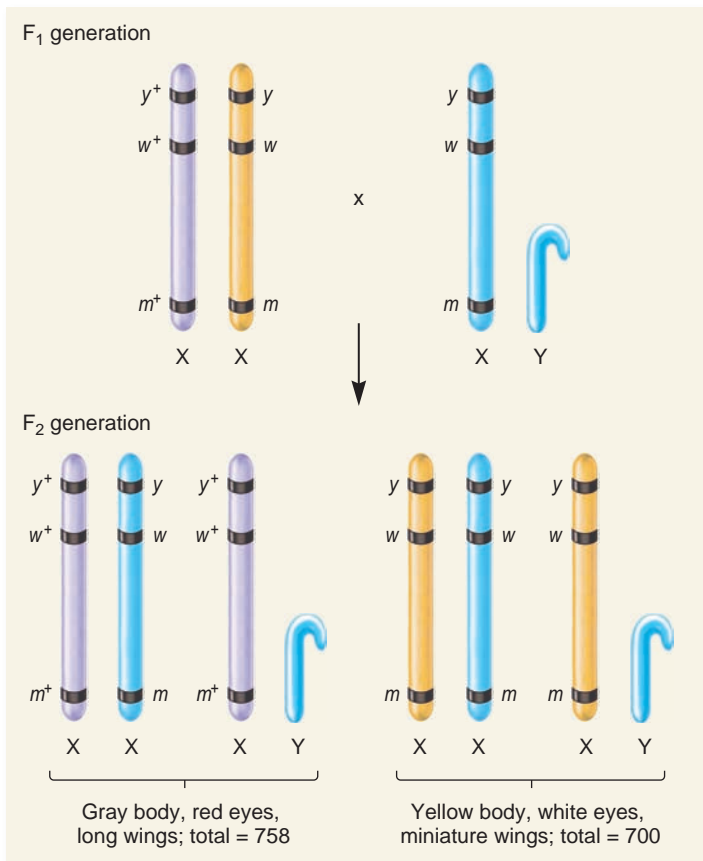
Now that we have an appreciation for linkage and the production of recombinant offspring, let's consider how an experimenter can objectively decide whether two genes are linked or assort independently. In Chapter 2, we used chi square analysis to evaluate the goodness of fit between a genetic hypothesis and observed experimental data. This method can similarly be employed to determine if the outcome of a dihybrid cross is consistent with linkage or independent assortment.

To conduct a chi square analysis, we must first propose a hypothesis. In a dihybrid cross, the standard hypothesis is that the two genes are not linked. This hypothesis is chosen even if the observed data suggest linkage, because an independent assortment hypothesis allows us to calculate the expected number of offspring based on the genotypes of the parents and the law of independent assortment. In contrast, for two linked genes that have not been previously mapped, we cannot calculate the expected number of offspring from a genetic cross because we do not know how likely it is for a crossover to occur between the two genes. Without expected numbers of recombinant and parental offspring, we cannot conduct a chi square test. Therefore, we begin with the hypothesis that the genes are not linked. Recall from Chapter 2 that the hypothesis we are testing is called a **null hypothesis**, because it assumes there is no real difference between the observed and expected values. The goal is to determine whether or not the data fit the hypothesis. If the chi square value is low and we cannot reject the null hypothesis, we infer that the genes assort independently. On the other hand, if the chi square value is so high that our hypothesis is rejected, we accept the alternative hypothesis, namely, that the genes are linked.

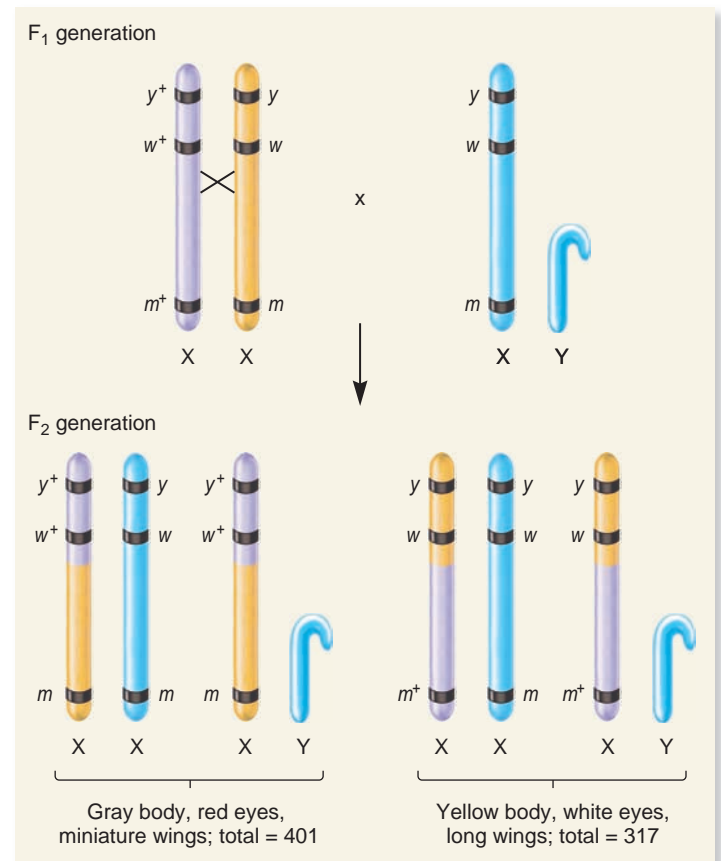
Of course, a statistical analysis cannot prove that a hypothesis is true. If the chi square value is high, we accept the linkage hypothesis because we are assuming that only two explanations for a genetic outcome are possible: the genes are either linked or not linked. However, if other factors affect the outcome of the cross, such as a decreased viability of particular phenotypes, these may result in large deviations between the observed and expected values and cause us to reject the independent assortment hypothesis even though it may be correct.

To carry out a chi square analysis, let's reconsider Morgan's data concerning body color and eye color (see Figure 6.4). This cross produced the following offspring: 1159 gray body, red eyes;

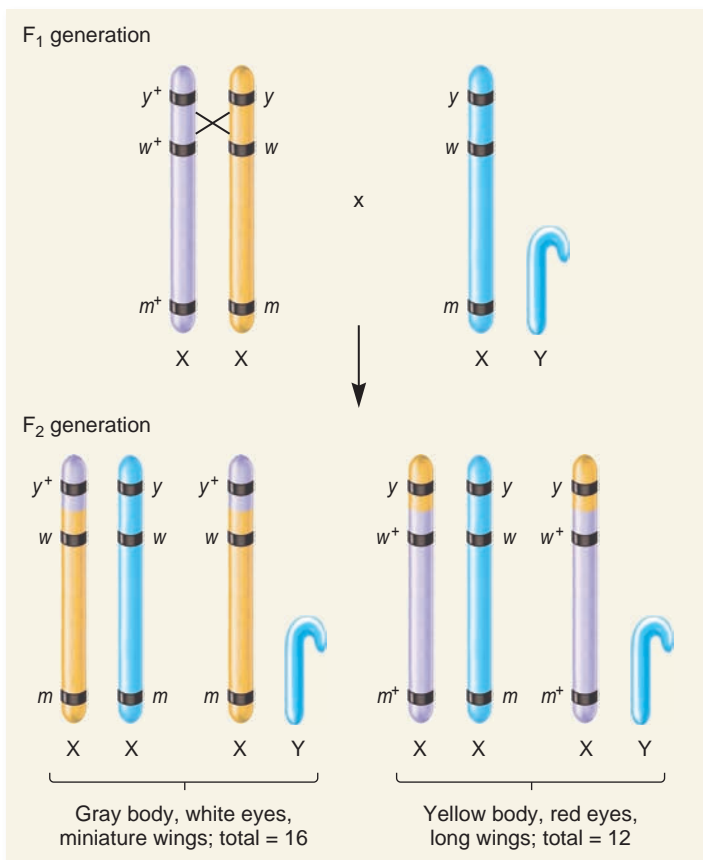
FIGURE 6.5 Morgan's explanation for different proportions of nonparental offspring. Crossing over is more likely for two genes that are relatively far apart than for two genes that are very close together. A double crossover is particularly uncommon.



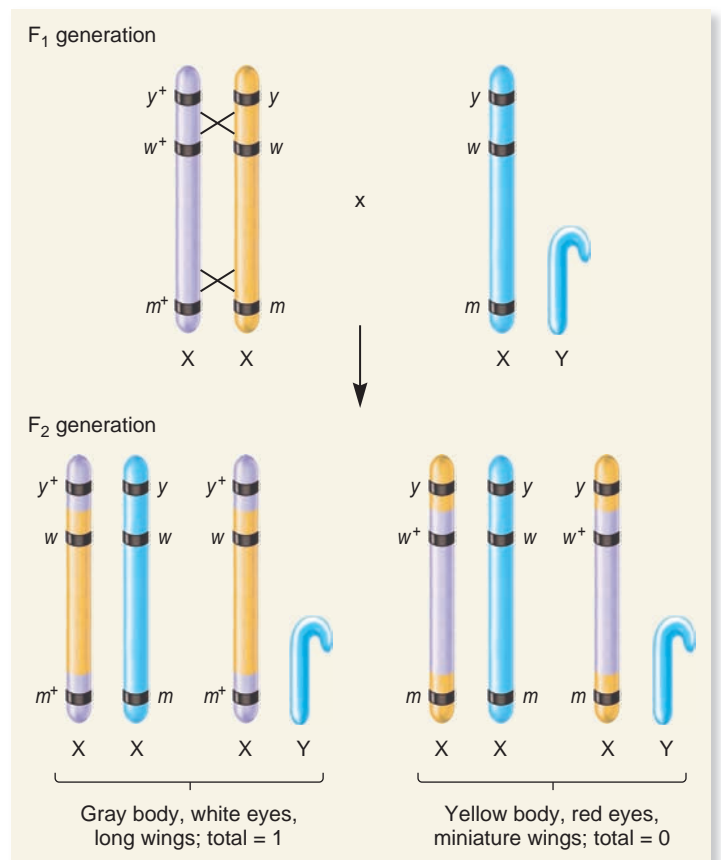
(a) No crossing over in this region, very common



(b) Crossover between eye color and wing length genes, fairly common







(c) Crossover between body color and eye color genes, uncommon



(d) Double crossover, very uncommon

1017 yellow body, white eyes; 17 gray body, white eyes; and 12 yellow body, red eyes. However, when a heterozygous female ($X^{y^+w^+}X^{yw}$) is crossed to a hemizygous male ($X^{yw}Y$), the laws of segregation and independent assortment predict the following outcome:

		F ₁ male gametes		
		♂ X^{yw}	Y	
F ₁ female gametes	♀ $X^{y^+w^+}$	$X^{y^+w^+}X^{yw}$ Gray body, red eyes	$X^{y^+w^+}Y$ Gray body, red eyes	
	X^{y^+w}	$X^{y^+w}X^{yw}$ Gray body, white eyes	$X^{y^+w}Y$ Gray body, white eyes	
	X^{yw^+}	$X^{yw^+}X^{yw}$ Yellow body, red eyes	$X^{yw^+}Y$ Yellow body, red eyes	
	X^{yw}	$X^{yw}X^{yw}$ Yellow body, white eyes	$X^{yw}Y$ Yellow body, white eyes	

Mendel's laws predict a 1:1:1:1 ratio among the four phenotypes. The observed data obviously seem to conflict with this expected outcome. Nevertheless, we stick to the strategy just discussed. We begin with the hypothesis that the two genes are not linked, and then we conduct a chi square analysis to see if the data fit this hypothesis. If the data do not fit, we reject the idea that the genes assort independently and conclude the genes are linked.

A step-by-step outline for applying the chi square test to distinguish between linkage and independent assortment is described next.

Step 1. Propose a hypothesis. Even though the observed data appear inconsistent with this hypothesis, we propose that the two genes for eye color and body color obey Mendel's law of independent assortment. This hypothesis allows us to calculate expected values. Because the data seem to conflict with this hypothesis, we actually anticipate that the chi square analysis will allow us to reject the independent assortment hypothesis in favor of a linkage hypothesis. We are also assuming the alleles follow the law of segregation, and the four phenotypes are equally viable.

Step 2. Based on the hypothesis, calculate the expected value of each of the four phenotypes. Each phenotype has an equal probability of occurring (see the Punnett square given previously). Therefore, the probability of each phenotype is 1/4. The observed F₂ generation had a total of 2205 individuals. Our next step is to calculate the expected number of offspring with each phenotype when the total equals 2205; 1/4 of the offspring should be each of the four phenotypes:

$$1/4 \times 2205 = 551 \text{ (expected number of each phenotype, rounded to the nearest whole number)}$$

Step 3. Apply the chi square formula, using the data for the observed values (O) and the expected values (E) that have been calculated in step 2. In this case, the data consist of four phenotypes.

$$\chi^2 = \frac{(O_1 - E_1)^2}{E_1} + \frac{(O_2 - E_2)^2}{E_2} + \frac{(O_3 - E_3)^2}{E_3} + \frac{(O_4 - E_4)^2}{E_4}$$

$$\chi^2 = \frac{(1159 - 551)^2}{551} + \frac{(17 - 551)^2}{551}$$

$$+ \frac{(12 - 551)^2}{551} + \frac{(1017 - 551)^2}{551}$$

$$\chi^2 = 670.9 + 517.5 + 527.3 + 394.1 = 2109.8$$

Step 4. Interpret the calculated chi square value. This is done with a chi square table, as discussed in Chapter 2. The four phenotypes are based on the law of segregation and the law of independent assortment. By itself, the law of independent assortment predicts only two categories, recombinant and nonrecombinant. Therefore, based on a hypothesis of independent assortment, the degree of freedom equals $n-1$, which is $2-1$, or 1.

The calculated chi square value is enormous! This means that the deviation between observed and expected values is very large. With 1 degree of freedom, such a large deviation is expected to occur by chance alone less than 1% of the time (see Table 2.1). Therefore, we reject the hypothesis that the two genes assort independently. As an alternative, we could accept the hypothesis that the genes are linked. Even so, it should be emphasized that rejecting the null hypothesis does not necessarily mean that the linked hypothesis is correct. For example, some of the non-Mendelian inheritance patterns described in Chapter 6 can produce results that do not conform to independent assortment.

EXPERIMENT 6A

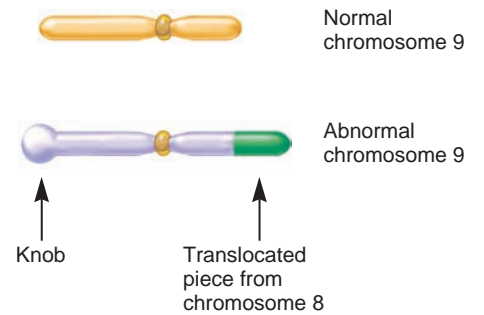
Creighton and McClintock Showed That Crossing Over Produced New Combinations of Alleles and Resulted in the Exchange of Segments Between Homologous Chromosomes

As we have seen, Morgan's studies were consistent with the hypothesis that crossing over occurs between homologous chromosomes to produce new combinations of alleles. To obtain direct evidence that crossing over can result in genetic recombination, Harriet Creighton and Barbara McClintock used an interesting strategy involving parallel observations. In studies conducted in 1931, they first made crosses involving two linked genes to produce parental and recombinant offspring. Second, they used a microscope to view the structures of the chromosomes in the parents and in the offspring. Because the parental chromosomes had some unusual structural features, they could microscopically distinguish the two homologous chromosomes within a pair. As we will see, this enabled them to correlate the occurrence of recombinant offspring with microscopically observable exchanges in segments of homologous chromosomes.

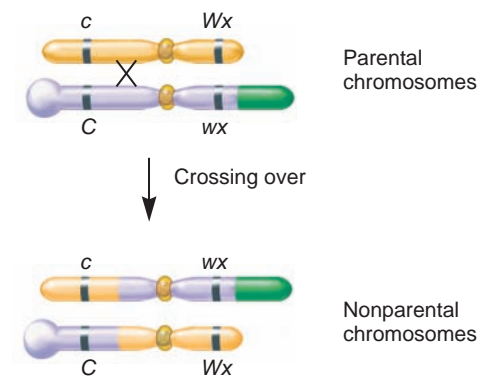
Creighton and McClintock focused much of their attention on the pattern of inheritance of traits in corn. This species has 10 different chromosomes per set, which are named chromosome 1, chromosome 2, chromosome 3, and so on. In previous cytological examinations of corn chromosomes, some strains were found to have an unusual chromosome 9 with a darkly staining knob at one end. In addition, McClintock identified an abnormal version of chromosome 9 that also had an extra piece of chromosome 8 attached at the other end (Figure 6.6a). This chromosomal rearrangement is called a translocation.

Creighton and McClintock insightfully realized that this abnormal chromosome could be used to determine if two homologous chromosomes physically exchange segments as a result of crossing over. They knew that a gene was located near the knobbed end of chromosome 9 that provided color to corn kernels. This gene existed in two alleles, the dominant allele *C* (colored) and the recessive allele *c* (colorless). A second gene, located near the translocated piece from chromosome 8, affected the texture of the kernel endosperm. The dominant allele *Wx* caused starchy endosperm, and the recessive *wx* allele caused waxy endosperm. Creighton and McClintock reasoned that a crossover involving a normal chromosome 9 and a knobbed/translocated chromosome 9 would produce a chromosome that had either a knob or a translocation, but not both. These two types of chromosomes would be distinctly different from either of the parental chromosomes (Figure 6.6b).

As shown in the experiment of Figure 6.7, Creighton and McClintock began with a corn strain that carried an abnormal chromosome that had a knob at one end and a translocation at the other. Genotypically, this chromosome was *C wx*. The cytologically normal chromosome in this strain was *c Wx*. This corn plant, termed parent A, had the genotype *Cc Wx wx*. It was



(a) Normal and abnormal chromosome 9



(b) Crossing over between normal and abnormal chromosome 9

FIGURE 6.6 Crossing over between a normal and abnormal chromosome 9 in corn. (a) A normal chromosome 9 in corn is compared to an abnormal chromosome 9 that contains a knob at one end and a translocation at the opposite end. (b) A crossover produces a chromosome that contains only a knob at one end and another chromosome that contains only a translocation at the other end.

crossed to a strain called parent B that carried two cytologically normal chromosomes and had the genotype *cc Wx wx*.

They then observed the kernels in two ways. First, they examined the phenotypes of the kernels to see if they were colored or colorless, and starchy or waxy. Second, the chromosomes in each kernel were examined under a microscope to determine their cytological appearance. Altogether, they observed a total of 25 kernels (see data of Figure 6.7).

THE HYPOTHESIS

Offspring with nonparental phenotypes are the product of a crossover. This crossover should produce nonparental chromosomes via an exchange of chromosomal segments between homologous chromosomes.

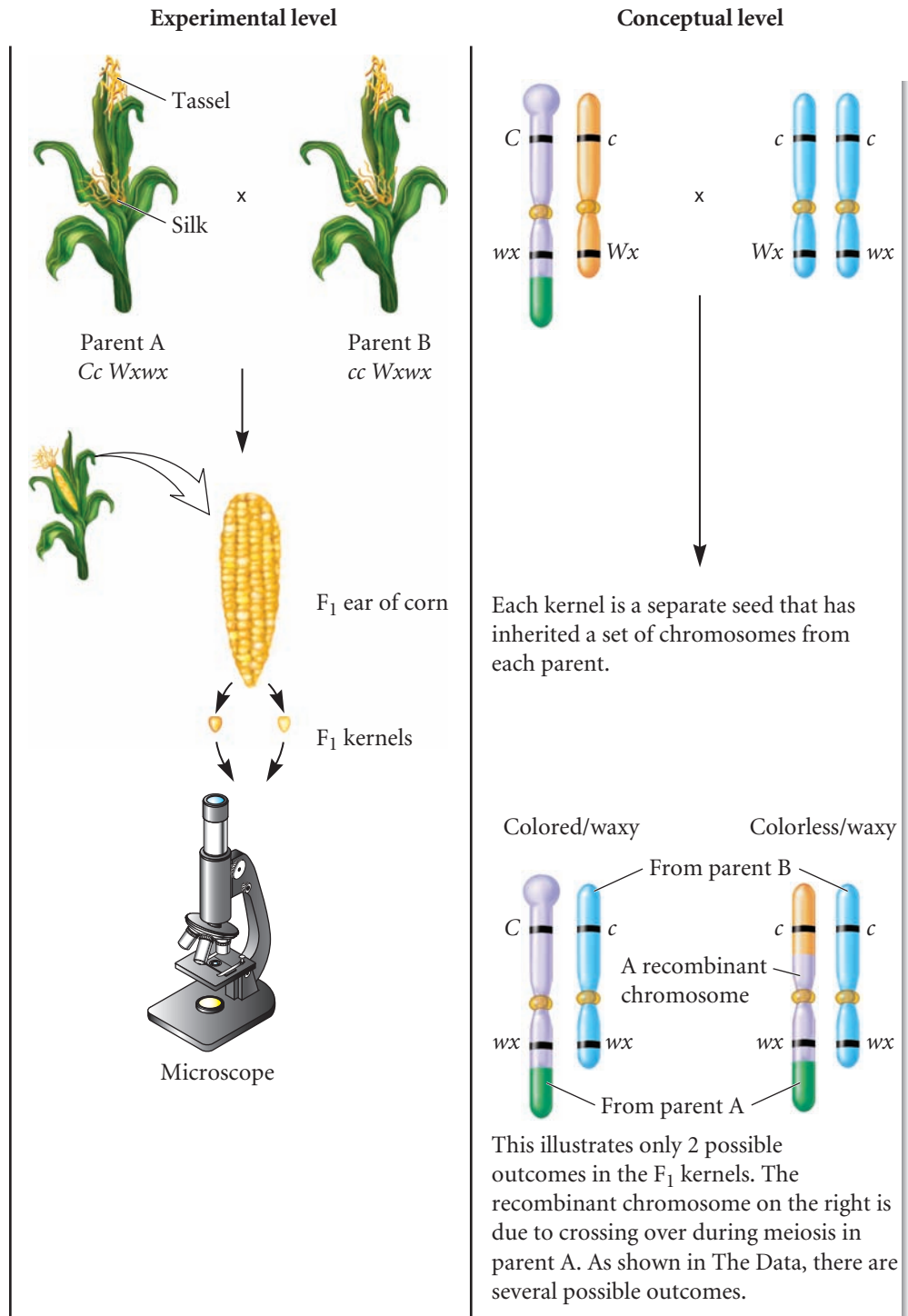
TESTING THE HYPOTHESIS — FIGURE 6.7 Experimental correlation between genetic recombination and crossing over.

Starting materials: Two different strains of corn. One strain, referred to as parent A, had an abnormal chromosome 9 (knobbed/translocation) with a dominant *C* allele and a recessive *wx* allele. It also had a cytologically normal copy of chromosome 9 that carried the recessive *c* allele and the dominant *Wx* allele. Its genotype was *Cc Wxwx*. The other strain (referred to as parent B) had two normal versions of chromosome 9. The genotype of this strain was *cc Wxwx*.




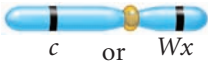





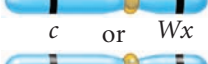
1. Cross the two strains described. The tassel is the pollen-bearing structure, and the silk (equivalent to the stigma and style) is connected to the ovary. After fertilization, the ovary will develop into an ear of corn.

2. Observe the kernels from this cross.

3. Microscopically examine chromosome 9 in the kernels.



THE DATA

Phenotype of F_1 Kernel	Number of Kernels Analyzed	Cytological Appearance of Chromosome 9 in F_1 Offspring*	Did a Crossover Occur During Gamete Formation in Parent A?	
Colored/waxy	3	Knobbed/translocation 	Normal 	No
Colorless/starchy	11	Knobless/normal 	Normal 	No
Colorless/starchy	4	Knobless/translocation 	Normal 	Yes
Colorless/waxy	2	Knobless/translocation 	Normal 	Yes
Colored/starchy	5	Knobbed/normal 	Normal 	Yes
Total	25			

*In this table, the chromosome on the left was inherited from parent A, and the blue chromosome on the right was inherited from parent B.
Data from Harriet B. Creighton and Barbara McClintock (1931) A Correlation of Cytological and Genetical Crossing-Over in *Zea Mays*. *Proc. Natl. Acad. Sci. USA* 17, 492–497.

INTERPRETING THE DATA

By combining the gametes in a Punnett square, the following types of offspring can be produced:

		Parent B		
		♂ $c Wx$	$c wx$	
Parent A	♀ $C wx$	$Cc Wxwx$ Colored, starchy	$Cc wxwx$ Colored, waxy	Nonrecombinant
	$c Wx$	$cc WxWx$ Colorless, starchy	$cc Wxwx$ Colorless, starchy	Nonrecombinant
	$C Wx$	$Cc WxWx$ Colored, starchy	$Cc Wxwx$ Colored, starchy	Recombinant
	$c wx$	$cc Wxwx$ Colorless, starchy	$cc wxwx$ Colorless, waxy	Recombinant

In this experiment, the researchers were interested in whether or not crossing over had occurred in parent A, which was heterozygous for both genes. This parent could produce four types of gametes, but parent B could produce only two types.

Parent A	Parent B
$C wx$ (nonrecombinant)	$c Wx$
$c Wx$ (nonrecombinant)	$c wx$
$C Wx$ (recombinant)	
$c wx$ (recombinant)	

As seen in the Punnett square, two of the phenotypic categories, colored, starchy ($Cc Wxwx$ or $Cc WxWx$) and colorless, starchy ($cc WxWx$ or $cc Wxwx$), were ambiguous because they could arise from a nonrecombinant and from a recombinant gamete. In other words, these phenotypes could be produced whether or not recombination occurred in parent A. Therefore, let's focus on the two unambiguous phenotypic categories: colored, waxy ($Cc wxwx$) and colorless, waxy ($cc wxwx$). The colored, waxy phenotype could happen only if recombination did not occur in parent A and if parent A passed the knobbed/translocated chromosome to its offspring. As shown in the data, three kernels were obtained with this phenotype, and all of them had the knobbed/translocated chromosome. By comparison, the colorless, waxy phenotype could be obtained only if genetic recombination occurred in parent A and this parent passed a chromosome 9 that had a translocation but was knobless. Two kernels were obtained with this phenotype, and both of them had the expected chromosome that had a translocation but was knobless. Taken together, these results showed a perfect correlation between genetic recombination of alleles and the cytological presence of a chromosome displaying a genetic exchange of chromosomal pieces from parent A.

Overall, the observations described in this experiment were consistent with the idea that a crossover occurred in the region between the *C* and *wx* genes that involved an exchange of segments between two homologous chromosomes. As stated by Creighton and McClintock, “Pairing chromosomes, heteromorphic in two regions, have been shown to exchange parts at the same time they exchange genes assigned to these regions.” These results supported the view that genetic recombination involves a physical exchange between homologous chromosomes. This microscopic evidence helped to convince geneticists that recom-

binant offspring arise from the physical exchange of segments of homologous chromosomes. As shown in the solved problem S4 at the end of this chapter, an experiment by Curt Stern was also consistent with the conclusion that crossing over between homologous chromosomes accounts for the formation of offspring with recombinant phenotypes.

A self-help quiz involving this experiment can be found at www.mhhe.com/brookergenetics4e.

6.2 GENETIC MAPPING IN PLANTS AND ANIMALS

The purpose of **genetic mapping**, also known as gene mapping or chromosome mapping, is to determine the linear order and distance of separation among genes that are linked to each other along the same chromosome. **Figure 6.8** illustrates a simplified genetic map of *Drosophila melanogaster*, depicting the locations of many different genes along the individual chromosomes. As shown here, each gene has its own unique **locus**—the site where the gene is found within a particular chromosome. For example, the gene designated *brown eyes* (*bw*), which affects eye color, is

located near one end of chromosome 2. The gene designated *black body* (*b*), which affects body color, is found near the middle of the same chromosome.

Why is genetic mapping useful? First, it allows geneticists to understand the overall complexity and genetic organization of a particular species. The genetic map of a species portrays the underlying basis for the inherited traits that an organism displays. In some cases, the known locus of a gene within a genetic map can help molecular geneticists to clone that gene and thereby obtain greater information about its molecular features. In addition, genetic maps are useful from an evolutionary point of view. A comparison of the genetic maps for different species can improve our understanding of the evolutionary relationships among those species.

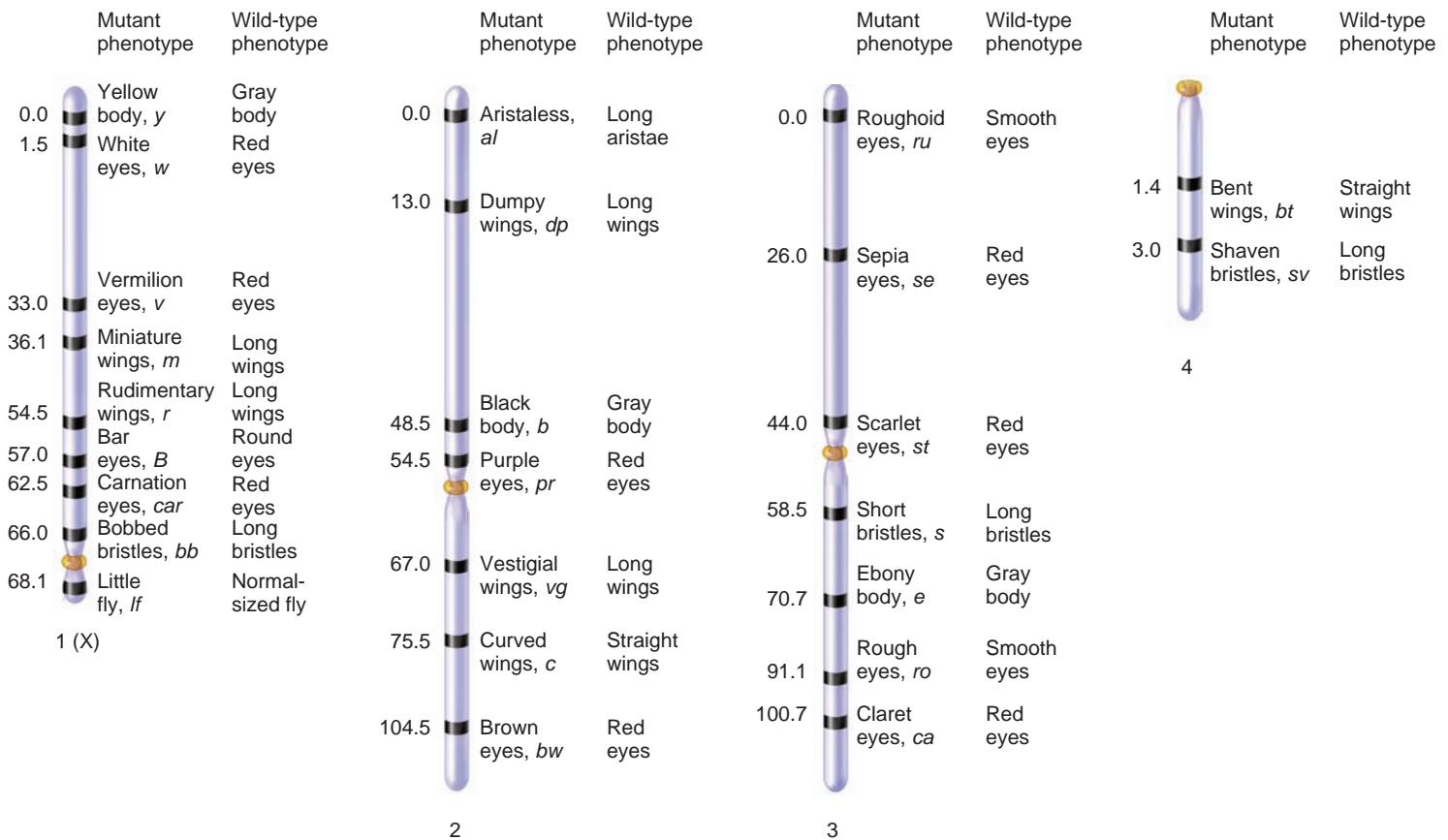


FIGURE 6.8 A simplified genetic linkage map of *Drosophila melanogaster*. This simplified map illustrates a few of the many thousands of genes that have been identified in this organism.

Along with these scientific uses, genetic maps have many practical benefits. For example, many human genes that play a role in human disease have been genetically mapped. This information can be used to diagnose and perhaps someday treat inherited human diseases. It can also help genetic counselors predict the likelihood that a couple will produce children with certain inherited diseases. In addition, genetic maps are gaining increasing importance in agriculture. A genetic map can provide plant and animal breeders with helpful information for improving agriculturally important strains through selective breeding programs.

In this section, we will examine traditional genetic mapping techniques that involve an analysis of crosses of individuals that are heterozygous for two or more genes. The frequency of nonparental offspring due to crossing over provides a way to deduce the linear order of genes along a chromosome. As depicted in Figure 6.8, this linear arrangement of genes is known as a **genetic linkage map**. This approach has been useful for analyzing organisms that are easily crossed and produce a large number of offspring in a short period of time. Genetic linkage maps have been constructed for several plant species and certain species of animals, such as *Drosophila*. For many organisms, however, traditional mapping approaches are difficult due to long generation times or the inability to carry out experimental crosses (as in humans). Fortunately, many alternative methods of gene mapping have been developed to replace the need to carry out crosses. As described in Chapter 20, molecular approaches are increasingly used to map genes.

The Frequency of Recombination Between Two Genes Can Be Correlated with Their Map Distance Along a Chromosome

Genetic mapping allows us to estimate the relative distances between linked genes based on the likelihood that a crossover will occur between them. If two genes are very close together on the same chromosome, a crossover is unlikely to begin in the region between them. However, if two genes are very far apart, a crossover is more likely to be initiated in this region and thereby recombine the alleles of the two genes. Experimentally, the basis for genetic mapping is that the percentage of recombinant offspring is correlated with the distance between two genes. If two genes are far apart, many recombinant offspring will be produced. However, if two genes are close together, very few recombinant offspring will be observed.

To interpret a genetic mapping experiment, the experimenter must know if the characteristics of an offspring are due to crossing over during meiosis in a parent. This is accomplished by conducting a **testcross**. Most testcrosses are between an individual that is heterozygous for two or more genes and an individual that is recessive and homozygous for the same genes. The goal of the testcross is to determine if recombination has occurred during meiosis in the heterozygous parent. Thus, genetic mapping is based on the level of recombination that occurs in just one parent—the heterozygote. In a testcross, new combinations of alleles cannot occur in the gametes of the other parent, which is homozygous for these genes.

Figure 6.9 illustrates how a testcross provides an experimental strategy to distinguish between recombinant and non-recombinant offspring. This cross concerns two linked genes affecting bristle length and body color in fruit flies. The recessive alleles are *s* (short bristles) and *e* (ebony body), and the dominant (wild-type) alleles are *s*⁺ (long bristles) and *e*⁺ (gray body). One parent displays both recessive traits. Therefore, we know this parent is homozygous for the recessive alleles of the two genes (*ss ee*). The other parent is heterozygous for the linked genes affecting bristle length and body color. This parent was produced from a cross involving a true-breeding wild-type fly and a true-breeding fly with short bristles and an ebony body. Therefore, in this heterozygous parent, we know that the *s* and *e* alleles are located on one chromosome and the corresponding *s*⁺ and *e*⁺ alleles are located on the homologous chromosome.

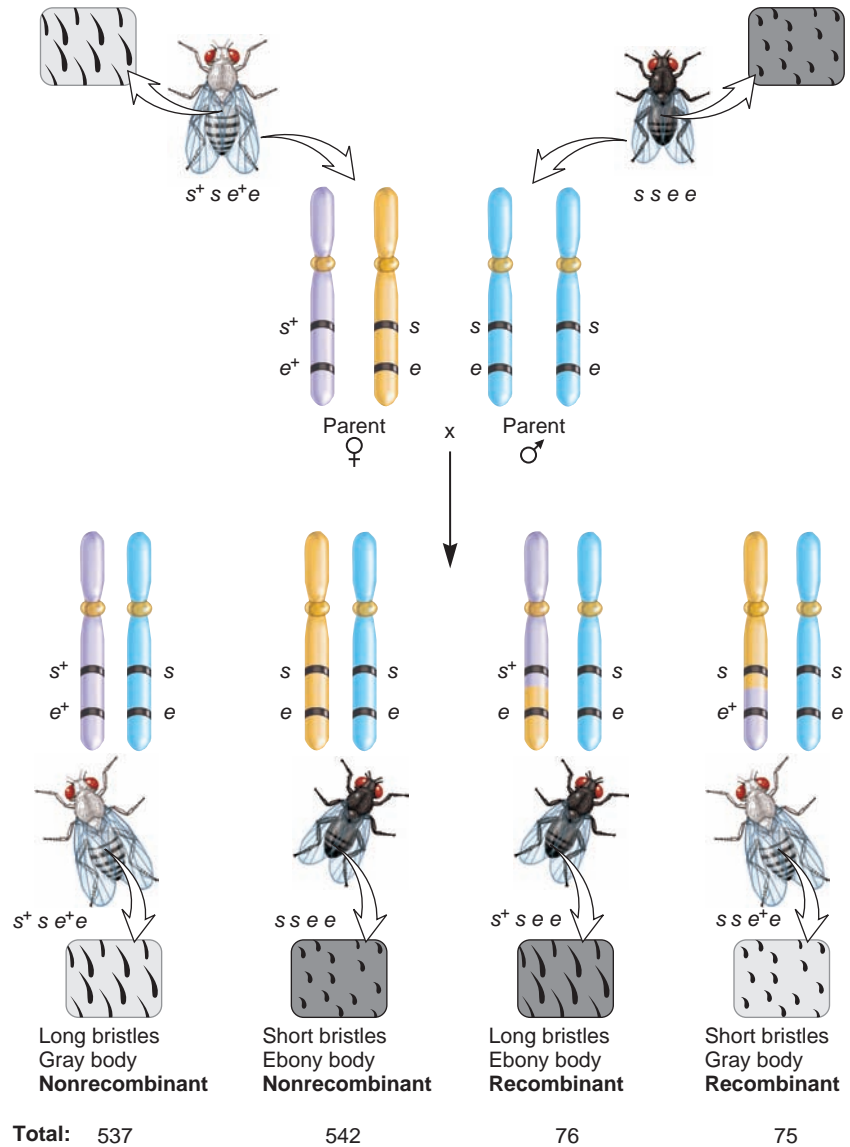
Now let's take a look at the four possible types of offspring these parents can produce. The offspring's phenotypes are long bristles, gray body; short bristles, ebony body; long bristles, ebony body; and short bristles, gray body. All four types of offspring have inherited a chromosome carrying the *s* and *e* alleles from their homozygous parent (shown on the right in each pair). Focus your attention on the other chromosome. The offspring with long bristles and gray bodies have inherited a chromosome carrying the *s*⁺ and *e*⁺ alleles from the heterozygous parent. This chromosome is not the product of a crossover. The offspring with short bristles and ebony bodies have inherited a chromosome carrying the *s* and *e* alleles from the heterozygous parent. Again, this chromosome is not the product of a crossover.

The other two types of offspring, however, can be produced only if crossing over has occurred in the region between these two genes. Those with long bristles and ebony bodies or short bristles and gray bodies have inherited a chromosome that is the product of a crossover during meiosis in the heterozygous parent. As noted in Figure 6.9, the recombinant offspring are fewer in number than are the nonrecombinant offspring.

The frequency of recombination can be used as an estimate of the physical distance between two genes on the same chromosome. The **map distance** is defined as the number of recombinant offspring divided by the total number of offspring, multiplied by 100. We can calculate the map distance between these two genes using this formula:

$$\begin{aligned} \text{Map distance} &= \frac{\text{Number of recombinant offspring}}{\text{Total number of offspring}} \times 100 \\ &= \frac{76 + 75}{537 + 542 + 76 + 75} \times 100 \\ &= 12.3 \text{ map units} \end{aligned}$$

The units of distance are called **map units (mu)**, or sometimes **centiMorgans (cM)** in honor of Thomas Hunt Morgan. One map unit is equivalent to a 1% frequency of recombination. In this example, we would conclude that the *s* and *e* alleles are 12.3 mu apart from each other along the same chromosome.



INTERACTIVE EXERCISE

FIGURE 6.9 Use of a testcross to distinguish between recombinant and nonrecombinant offspring.

The cross involves one *Drosophila* parent that is homozygous recessive for short bristles (*ss*) and ebony body (*ee*), and one parent heterozygous for both genes ($s^+s e^+e$). (Note: *Drosophila* geneticists normally designate the short allele as *ss* and a homozygous fly with short bristles as *ssss*. In this case, the allele causing short bristles is designated with a single *s* to avoid confusion between the allele designation and the genotype of the fly. Also, crossing over does not occur during sperm formation in *Drosophila*, which is unusual among eukaryotes. Therefore, the heterozygote in a testcross involving *Drosophila* must be the female.)

EXPERIMENT 6B

Alfred Sturtevant Used the Frequency of Crossing Over in Dihybrid Crosses to Produce the First Genetic Map

In 1913, the first individual to construct a (very small) genetic map was Alfred Sturtevant, an undergraduate who spent time in the laboratory of Thomas Hunt Morgan. Sturtevant wrote: “In conversation with Morgan . . . I suddenly realized that the variations in the strength of linkage, already attributed by Morgan to differences in the spatial separation of the genes, offered the possibility of determining sequences [of different genes] in the linear dimension of a chromosome. I went home and spent most of the night (to the neglect of my undergraduate homework) in producing the first chromosome map, which included the sex-linked genes, *y*, *w*, *v*, *m*, and *r*, in the order and approximately the relative spacing that they still appear on the standard maps.”

In the experiment of **Figure 6.10**, Sturtevant considered the outcome of crosses involving six different mutant alleles that

altered the phenotype of flies. All of these alleles were known to be recessive and X-linked. They are *y* (yellow body color), *w* (white eye color), *w-e* (eosin eye color), *v* (vermillion eye color), *m* (miniature wings), and *r* (rudimentary wings). The *w* and *w-e* alleles are alleles of the same gene. In contrast, the *v* allele (vermillion eye color) is an allele of a different gene that also affects eye color. The two alleles that affect wing length, *m* and *r*, are also in different genes. Therefore, Sturtevant studied the inheritance of six recessive alleles, but since *w* and *w-e* are alleles of the same gene, his genetic map contained only five genes. The corresponding wild-type alleles are y^+ (gray body), w^+ (red eyes), v^+ (red eyes), m^+ (long wings), and r^+ (long wings).

THE HYPOTHESIS

When genes are located on the same chromosome, the distance between the genes can be estimated from the proportion of recombinant offspring. This provides a way to map the order of genes along a chromosome.

TESTING THE HYPOTHESIS — FIGURE 6.10 The first genetic mapping experiment.

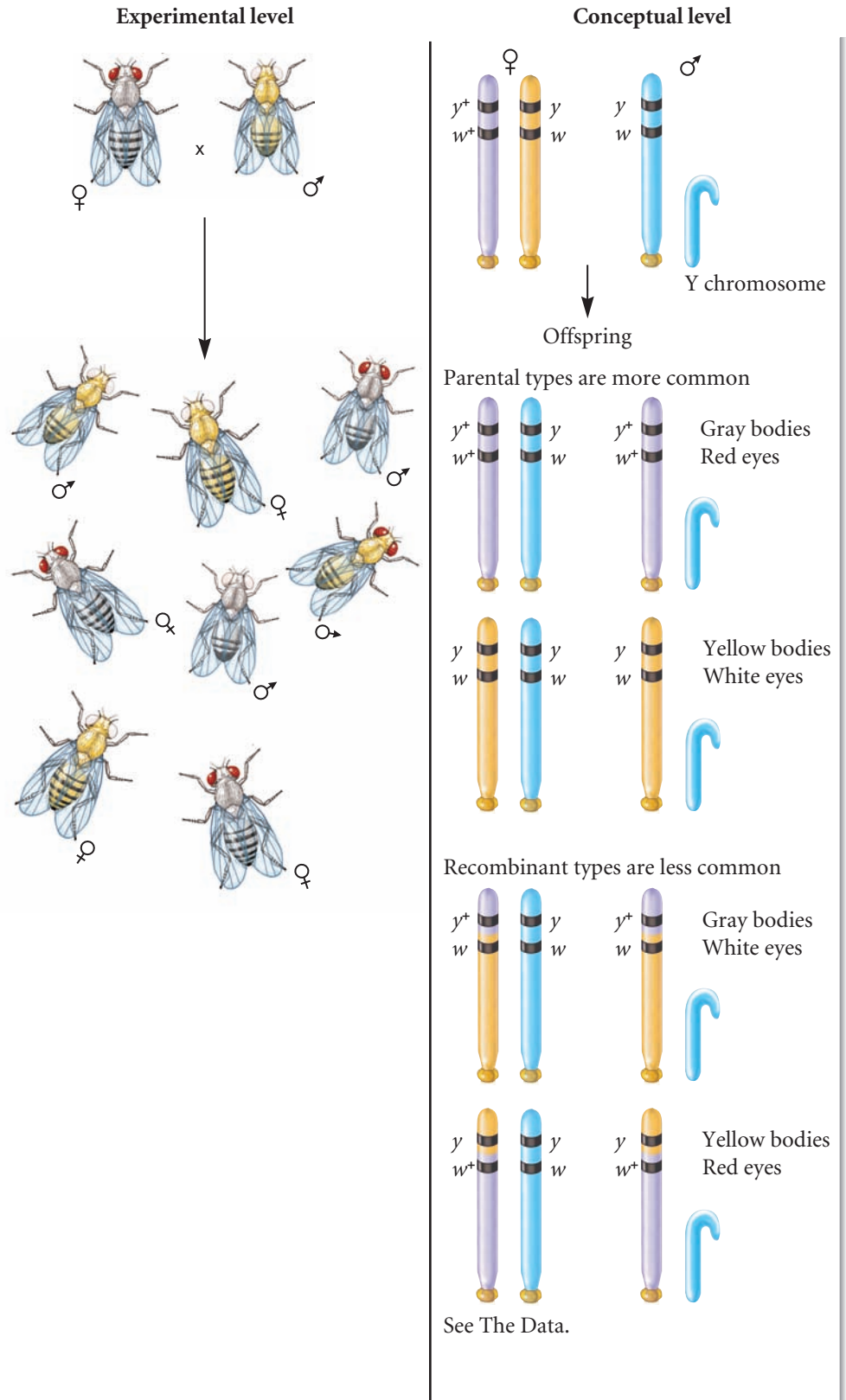
Starting materials: Sturtevant began with several different strains of *Drosophila* that contained the six alleles already described.

1. Cross a female that is heterozygous for two different genes to a male that is hemizygous recessive for the same two genes. In this example, cross a female that is $X^{y^+w^+}X^{yw}$ to a male that is $X^{yw}Y$.

This strategy was employed for many dihybrid combinations of the six alleles already described.

2. Observe the outcome of the crosses.

3. Calculate the percentages of offspring that are the result of crossing over (number of nonparental/total).



THE DATA

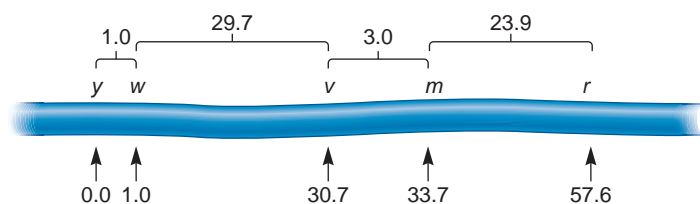
Alleles Concerned	Number Recombinant/Total Number	Percent Recombinant Offspring
<i>y</i> and <i>w/w-e</i>	214/21,736	1.0
<i>y</i> and <i>v</i>	1464/4551	32.2
<i>y</i> and <i>m</i>	115/324	35.5
<i>y</i> and <i>r</i>	260/693	37.5
<i>w/w-e</i> and <i>v</i>	471/1584	29.7
<i>w/w-e</i> and <i>m</i>	2062/6116	33.7
<i>w/w-e</i> and <i>r</i>	406/898	45.2
<i>v</i> and <i>m</i>	17/573	3.0
<i>v</i> and <i>r</i>	109/405	26.9

Data from Alfred H. Sturtevant (1913) The linear arrangement of six sex-linked factors in *Drosophila*, as shown by their mode of association. *J Exp Zool* 14, 43–59.

INTERPRETING THE DATA

As shown in Figure 6.10, Sturtevant made pairwise testcrosses and then counted the number of offspring in the four phenotypic categories. Two of the categories were nonrecombinant and two were recombinant, requiring a crossover between the X chromosomes in the female heterozygote. Let's begin by contrasting the results between particular pairs of genes, shown in the data. In some dihybrid crosses, the percentage of nonparental offspring was rather low. For example, dihybrid crosses involving the *y* allele and the *w* or *w-e* allele yielded 1% recombinant offspring. This result suggested that these two genes are very close together. By comparison, other dihybrid crosses showed a higher percentage of nonparental offspring. For example, crosses involving the *v* and *r* alleles produced 26.9% recombinant offspring. These two genes are expected to be farther apart.

To construct his map, Sturtevant began with the assumption that the map distances would be more accurate between genes that are closely linked. Therefore, his map is based on the distance between *y* and *w* (1.0), *w* and *v* (29.7), *v* and *m* (3.0), and *v* and *r* (26.9). He also considered other features of the data to deduce the order of the genes. For example, the percentage of crossovers between *w* and *m* was 33.7. The percentage of crossovers between *w* and *v* was 29.7, suggesting that *v* is between *w* and *m*, but closer to *m*. The proximity of *v* and *m* is confirmed by the low percentage of crossovers between *v* and *m* (3.0). Sturtevant collectively considered the data and proposed the genetic map shown here.



In this genetic map, Sturtevant began at the *y* allele and mapped the genes from left to right. For example, the *y* and *v*

alleles are 30.7 mu apart, and the *v* and *m* alleles are 3.0 mu apart. This study by Sturtevant was a major breakthrough, because it showed how to map the locations of genes along chromosomes by making the appropriate crosses.

If you look carefully at Sturtevant's data, you will notice a few observations that do not agree very well with his genetic map. For example, the percentage of recombinant offspring for the *y* and *r* dihybrid cross was 37.5 (but the map distance is 57.6), and the crossover percentage between *w* and *r* was 45.2 (but the map distance is 56.6). As the percentage of recombinant offspring approaches a value of 50%, this value becomes a progressively more inaccurate measure of actual map distance (Figure 6.11). What is the basis for this inaccuracy? When the distance between two genes is large, the likelihood of multiple crossovers in the region between them causes the observed number of recombinant offspring to underestimate this distance.

Multiple crossovers set a quantitative limit on the relationship between map distance and the percentage of recombinant offspring. Even though two different genes can be on the same chromosome and more than 50 mu apart, a testcross is expected to yield a maximum of only 50% recombinant offspring. What accounts for this 50% limit? The answer lies in the pattern of multiple crossovers. A single crossover in the region between two genes will produce only 50% recombinant chromosomes (see Figure 6.1b). Therefore, to exceed a 50% recombinant level, it would seem necessary to have multiple crossovers within a tetrad. However, let's consider double crossovers. As shown in the figure to solved problem S5 at the end of the chapter, a double crossover between two genes could involve four, three, or two

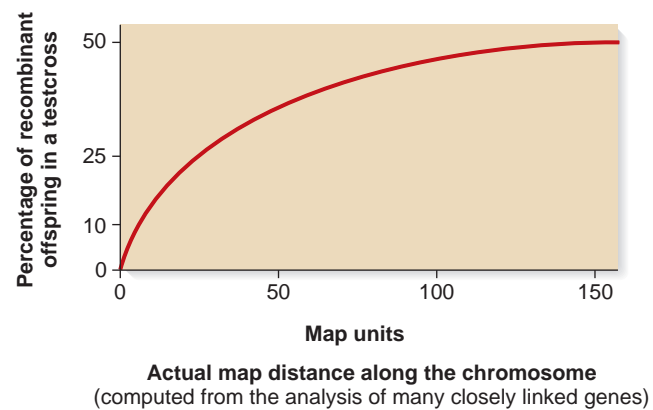


FIGURE 6.11 Relationship between the percentage of recombinant offspring in a testcross and the actual map distance between genes. The y-axis depicts the percentage of recombinant offspring that would be observed in a dihybrid testcross. The actual map distance, shown on the x-axis, is calculated by analyzing the percentages of recombinant offspring from a series of dihybrid crosses involving closely linked genes. Even though two genes may be more than 50 mu apart, the percentage of recombinant offspring will not exceed 50%.

chromatids, which would yield 100%, 50%, or 0% recombinants, respectively. Because all of these double crossovers are equally likely, we take the average of them to determine the maximum recombination frequency. This average equals 50%. Therefore, when two different genes are more than 50 mu apart, they follow

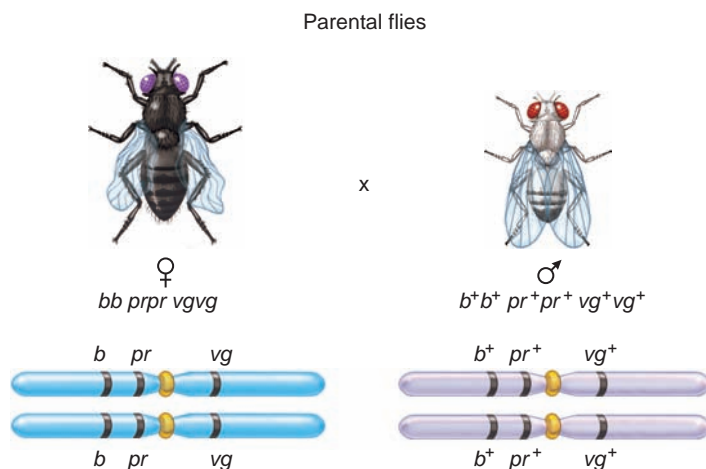
the law of independent assortment in a testcross and only 50% recombinants are observed.

A self-help quiz involving this experiment can be found at www.mhhe.com/brookergenetics4e.

Trihybrid Crosses Can Be Used to Determine the Order and Distance Between Linked Genes

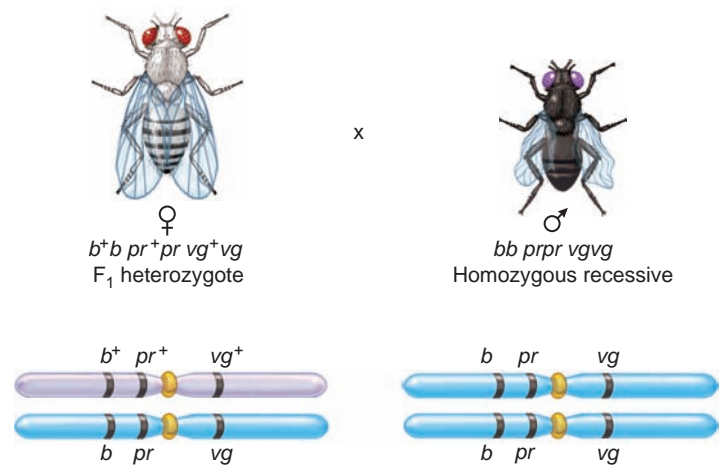
Thus far, we have considered the construction of genetic maps using dihybrid testcrosses to compute map distance. The data from trihybrid crosses can yield additional information about map distance and gene order. In a trihybrid cross, the experimenter crosses two individuals that differ in three characters. The following experiment outlines a common strategy for using trihybrid crosses to map genes. In this experiment, the parental generation consists of fruit flies that differ in body color, eye color, and wing shape. We must begin with true-breeding lines so that we know which alleles are initially linked to each other on the same chromosome. In this example, all of the dominant alleles are linked on the same chromosome.

Step 1. Cross two true-breeding strains that differ with regard to three alleles. In this example, we will cross a fly that has a black body (bb), purple eyes ($prpr$), and vestigial wings ($vgvg$) to a homozygous wild-type fly with a gray body (b^+b^+), red eyes (pr^+pr^+), and long wings (vg^+vg^+):



The goal in this step is to obtain F_1 individuals that are heterozygous for all three genes. In the F_1 heterozygotes, all dominant alleles are located on one chromosome, and all recessive alleles are on the other homologous chromosome.

Step 2. Perform a testcross by mating F_1 female heterozygotes to male flies that are homozygous recessive for all three alleles ($bb\ prpr\ vgvg$).



During gametogenesis in the heterozygous female F_1 flies, crossovers may produce new combinations of the three alleles.

Step 3. Collect data for the F_2 generation. As shown in **Table 6.1**, eight phenotypic combinations are possible. An analysis of the F_2 generation flies allows us to map these three genes. Because the three genes exist as two alleles each, we have 2^3 , or 8, possible combinations of offspring. If these alleles assorted independently, all eight combinations would occur in equal proportions. However, we see that the proportions of the eight phenotypes are far from equal.

The genotypes of the parental generation correspond to the phenotypes gray body, red eyes, and long wings, and black body, purple eyes, and vestigial wings. In crosses involving linked genes, the parental phenotypes occur most frequently in the offspring. The remaining six phenotypes are due to crossing over.

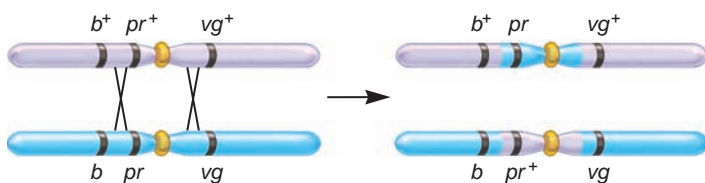
The double crossover is always expected to be the least frequent category of offspring. Two of the phenotypes—gray body, purple eyes, and long wings; and black body, red eyes, and vestigial wings—arose from a double crossover between two pairs of genes.

TABLE 6.1

Data from a Trihybrid Cross (see step 2)

Phenotype	Number of Observed Offspring (males and females)	Chromosome Inherited from F ₁ Female
Gray body, red eyes, long wings	411	
Gray body, red eyes, vestigial wings	61	
Gray body, purple eyes, long wings	2	
Gray body, purple eyes, vestigial wings	30	
Black body, red eyes, long wings	28	
Black body, red eyes, vestigial wings	1	
Black body, purple eyes, long wings	60	
Black body, purple eyes, vestigial wings	412	
Total	1005	

Also, the combination of traits in the double crossover tells us which gene is in the middle. When a chromatid undergoes a double crossover, the gene in the middle becomes separated from the other two genes at either end.



In the double-crossover categories, the recessive purple eye allele is separated from the other two recessive alleles. When mated to a homozygous recessive fly in the test-cross, this yields flies with gray bodies, purple eyes, and long wings; or ones with black bodies, red eyes, and vestigial wings. This observation indicates that the gene for eye color lies between the genes for body color and wing shape.

Step 4. Calculate the map distance between pairs of genes. To do this, we need to understand which gene combinations are recombinant and which are nonrecombinant. The recombinant offspring are due to crossing over in the heterozygous female parent. If you look back at step 2, you can see the arrangement of alleles in the

heterozygous female parent in the absence of crossing over. Let's consider this arrangement with regard to gene pairs:

b^+ is linked to pr^+ , and b is linked to pr

pr^+ is linked to vg^+ , and pr is linked to vg

b^+ is linked to vg^+ , and b is linked to vg

With regard to body color and eye color, the recombinant offspring have gray bodies and purple eyes (2 + 30) or black bodies and red eyes (28 + 1). As shown along the right side of Table 6.1, these offspring were produced by crossovers in the female parents. The total number of these recombinant offspring is 61. The map distance between the body color and eye color genes is

$$\text{Map distance} = \frac{61}{944 + 61} \times 100 = 6.1 \text{ mu}$$

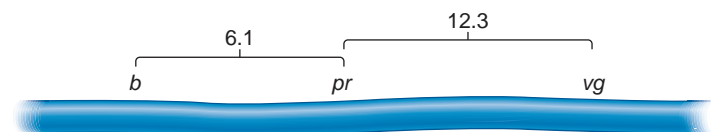
With regard to eye color and wing shape, the recombinant offspring have red eyes and vestigial wings (61 + 1) or purple eyes and long wings (2 + 60). The total number is 124. The map distance between the eye color and wing shape genes is

$$\text{Map distance} = \frac{124}{881 + 124} \times 100 = 12.3 \text{ mu}$$

With regard to body color and wing shape, the recombinant offspring have gray bodies and vestigial wings (61 + 30) or black bodies and long wings (28 + 60). The total number is 179. The map distance between the body color and wing shape genes is

$$\text{Map distance} = \frac{179}{826 + 179} \times 100 = 17.8 \text{ mu}$$

Step 5. Construct the map. Based on the map unit calculation, the body color (b) and wing shape (vg) genes are farthest apart. The eye color gene (pr) must lie in the middle. As mentioned earlier, this order of genes is also confirmed by the pattern of traits found in the double crossovers. To construct the map, we use the distances between the genes that are closest together.



In our example, we have placed the body color gene first and the wing shape gene last. The data also are consistent with a map in which the wing shape gene comes first and the body color gene comes last. In detailed genetic maps, the locations of genes are mapped relative to the centromere.

You may have noticed that our calculations underestimate the distance between the body color and wing shape genes. We

obtained a value of 17.8 mu even though the distance seems to be 18.4 mu when we add together the distance between body color and eye color genes (6.1 mu) and the distance between eye color and wing shape genes (12.3 mu). What accounts for this discrepancy? The answer is double crossovers. If you look at the data in Table 6.1, the offspring with gray bodies, purple eyes, and long wings or those with black bodies, red eyes, and vestigial wings are due to a double crossover. From a phenotypic perspective, these offspring are not recombinant with regard to the body color and wing shape alleles. Even so, we know that they arose from a double crossover between these two genes. Therefore, we should consider these crossovers when calculating the distance between the body color and wing shape genes. In this case, three offspring (2 + 1) were due to double crossovers. Because they are double crossovers, we multiply 2 times the number of double crossovers (2 + 1) and add this number to our previous value of recombinant offspring:

$$\text{Map distance} = \frac{179 + 2(2 + 1)}{826 + 179} \times 100 = 18.4 \text{ mu}$$

Interference Can Influence the Number of Double Crossovers That Occur in a Short Region

In Chapter 2, we considered the product rule to determine the probability that two independent events will both occur. The product rule allows us to predict the expected likelihood of a double crossover provided we know the individual probabilities of each single crossover. Let's reconsider the data of the trihybrid testcross just described to see if the frequency of double crossovers is what we would expect based on the product rule. If each crossover is an independent event, we can multiply the likelihood of a single crossover between *b* and *pr* (0.061) times the likelihood of a single crossover between *pr* and *vg* (0.123). The product rule predicts

$$\begin{aligned} \text{Expected likelihood of a double crossover} &= \\ 0.061 \times 0.123 &= 0.0075 = 0.75\% \end{aligned}$$

$$\begin{aligned} \text{Expected number of offspring due to a double crossover,} \\ \text{based on a total of 1005 offspring produced} &= 1005 \times \\ 0.0075 &= 7.5 \end{aligned}$$

In other words, we would expect about 7 or 8 offspring to be produced as a result of a double crossover. The observed number of offspring was only 3 (namely, 2 with gray bodies, purple eyes, and long wings, and 1 with a black body, red eyes, and vestigial wings). What accounts for the lower number? This lower-than-expected value is probably not due to random sampling error. Instead, the likely cause is a common genetic phenomenon known as **positive interference**, in which the occurrence of a crossover in one region of a chromosome decreases the probability that a second crossover will occur nearby. In other words, the first crossover interferes with the ability to form a second crossover in the immediate vicinity. To provide interference with a quantitative value, we first calculate the coefficient of coincidence (*C*), which is the ratio of the observed number of double crossovers to the expected number.

$$C = \frac{\text{Observed number of double crossovers}}{\text{Expected number of double crossovers}}$$

Interference (*I*) is expressed as

$$I = 1 - C$$

For the data of the trihybrid testcross, the observed number of crossovers is 3 and the expected number is 7.5, so the coefficient of coincidence equals $3/7.5 = 0.40$. In other words, only 40% of the expected number of double crossovers were actually observed. The value for interference equals $1 - 0.4 = 0.60$, or 60%. This means that 60% of the expected number of crossovers did not occur. Because *I* has a positive value, this is called positive interference. Rarely, the outcome of a testcross yields a negative value for interference. A negative interference value suggests that a first crossover enhanced the rate of a second crossover in a nearby region. Although the molecular mechanisms that cause interference are not entirely understood, in most organisms the number of crossovers is regulated so that very few occur per chromosome. The reasons for positive and negative interference require further research.

6.3 GENETIC MAPPING IN HAPLOID EUKARYOTES

Before ending our discussion of genetic mapping, let's consider some pioneering studies that involved the genetic mapping of haploid organisms. You may find it surprising that certain species of simple eukaryotes, particularly unicellular algae and fungi, which spend part of their life cycle in the haploid state, have also been used in genetic mapping studies. The sac fungi, called ascomycetes, have been particularly useful to geneticists because of their unique style of sexual reproduction. In fact, much of our earliest understanding of genetic recombination came from the genetic analyses of fungi.

Fungi may be unicellular or multicellular organisms. Fungal cells are typically haploid ($1n$) and can reproduce asexually. In addition, fungi can also reproduce sexually by the fusion of two haploid cells to create a diploid zygote ($2n$) (**Figure 6.12**). The diploid zygote can then proceed through meiosis to produce four haploid cells, which are called **spores**. This group of four spores is known as a **tetrad** (not to be confused with a tetrad of four sister chromatids). In some species, meiosis is followed by a mitotic division to produce eight spores, known as an **octad**.

In ascomycete fungi and certain species of algae, the cells of a tetrad or octad are contained within a sac, which is called an **ascus** (plural: asci) in fungi. In other words, the products of a single meiotic division are contained within one sac. This mode of reproduction does not occur in other eukaryotic groups. Studies of fungi have been pivotal in our fundamental understanding of meiosis and crossing over. By comparison, the products of meiosis are produced differently in animals and plants. For example, in animals, oogenesis produces a single functional egg, and spermatogenesis occurs in the testes, where the resulting sperm become mixed with millions of other sperm.

Using a microscope, researchers can dissect asci and study the traits of each haploid spore. In this way, these organisms offer

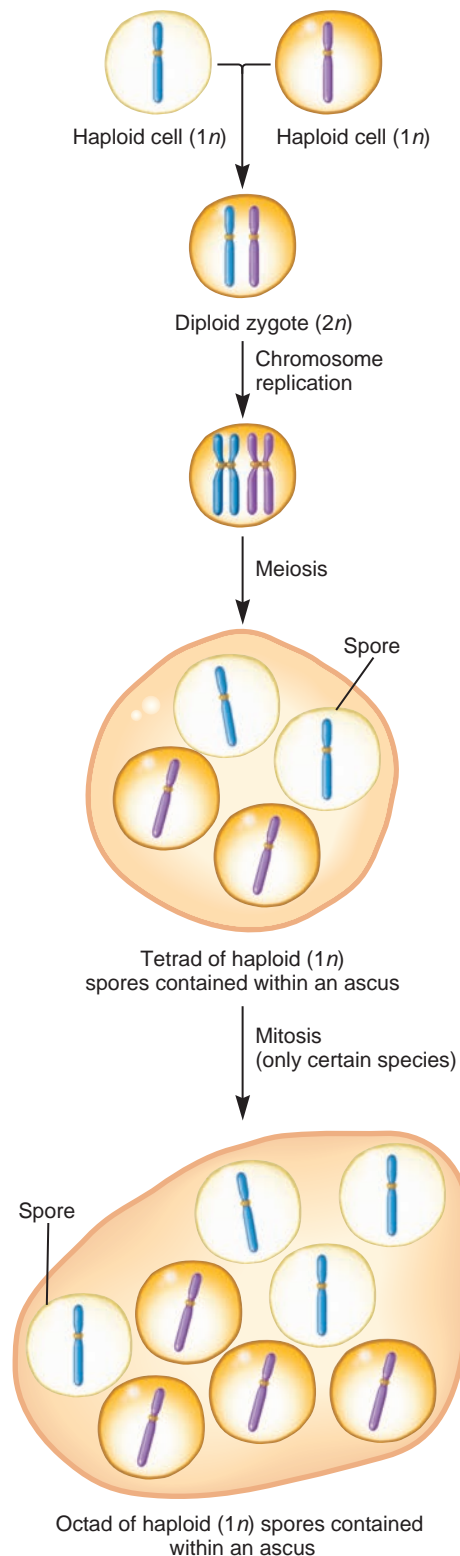


FIGURE 6.12 Sexual reproduction in ascomycetes. For simplicity, this diagram shows each haploid cell as having only one chromosome per haploid set. However, fungal species actually contain several chromosomes per haploid set.

a unique opportunity for geneticists to identify and study all of the cells that are derived from a single meiotic division. In this section, we will consider how the analysis of asci can be used to map genes in fungi.

Ordered Tetrad Analysis Can Be Used to Map the Distance Between a Gene and the Centromere

The arrangement of spores within an ascus varies from species to species (**Figure 6.13a**). In some cases, the ascus provides enough space for the tetrads or octads of spores to randomly mix together. This creates an **unordered tetrad** or **octad**. These occur in fungal species such as *Saccharomyces cerevisiae* and *Aspergillus nidulans* and also in certain unicellular algae (*Chlamydomonas reinhardtii*). By comparison, other species of fungi produce a very tight ascus that prevents spores from randomly moving around, which results in an **ordered tetrad** or **octad**. **Figure 6.13b** illustrates how an ordered octad is formed in *Neurospora crassa*. In this example, spores that carry the *A* allele have orange pigmentation, and those having the *a* (albino) allele are white.

A key feature of ordered tetrads or octads is that the position and order of spores within the ascus reflect their relationship to each other as they were produced by meiosis and mitosis. This idea is schematically shown in **Figure 6.13b**. After the original diploid cell has undergone chromosome replication, the first meiotic division produces two cells that are arranged next to each other within the sac. The second meiotic division then produces four cells that are also arranged in a row. Due to the tight enclosure of the sac around the cells, each pair of daughter cells is forced to lie next to each other in a linear fashion. Likewise, when these four cells divide by mitosis, each pair of daughter cells is located next to each other.

In species that make ordered tetrads or octads, experimenters can determine the genotypes of the spores within the asci and map the distance between a single gene and the centromere. Because the location of the centromere can be seen under the microscope, the mapping of a gene relative to the centromere provides a way to correlate a gene's location with the cytological characteristics of a chromosome. This approach has been extensively exploited in *N. crassa*.

Figure 6.14 compares the arrangement of cells within a *Neurospora* ascus depending on whether or not a crossover has occurred between two homologs that differ at a gene with alleles *A* (orange pigmentation) and *a* (albino, which results in a white phenotype). In **Figure 6.14a**, a crossover has not occurred, so the octad contains a linear arrangement of four haploid cells carrying the *A* allele, which are adjacent to four haploid cells that contain the *a* allele. This 4:4 arrangement of spores within the ascus is called **first-division segregation (FDS)**, or an M1 pattern. It is called a first-division segregation pattern because the *A* and *a* alleles have segregated from each other after the first meiotic division.

In contrast, as shown in **Figure 6.14b**, if a crossover occurs between the centromere and the gene of interest, the ordered octad will deviate from the 4:4 pattern. Depending on the relative locations of the two chromatids that participated in the

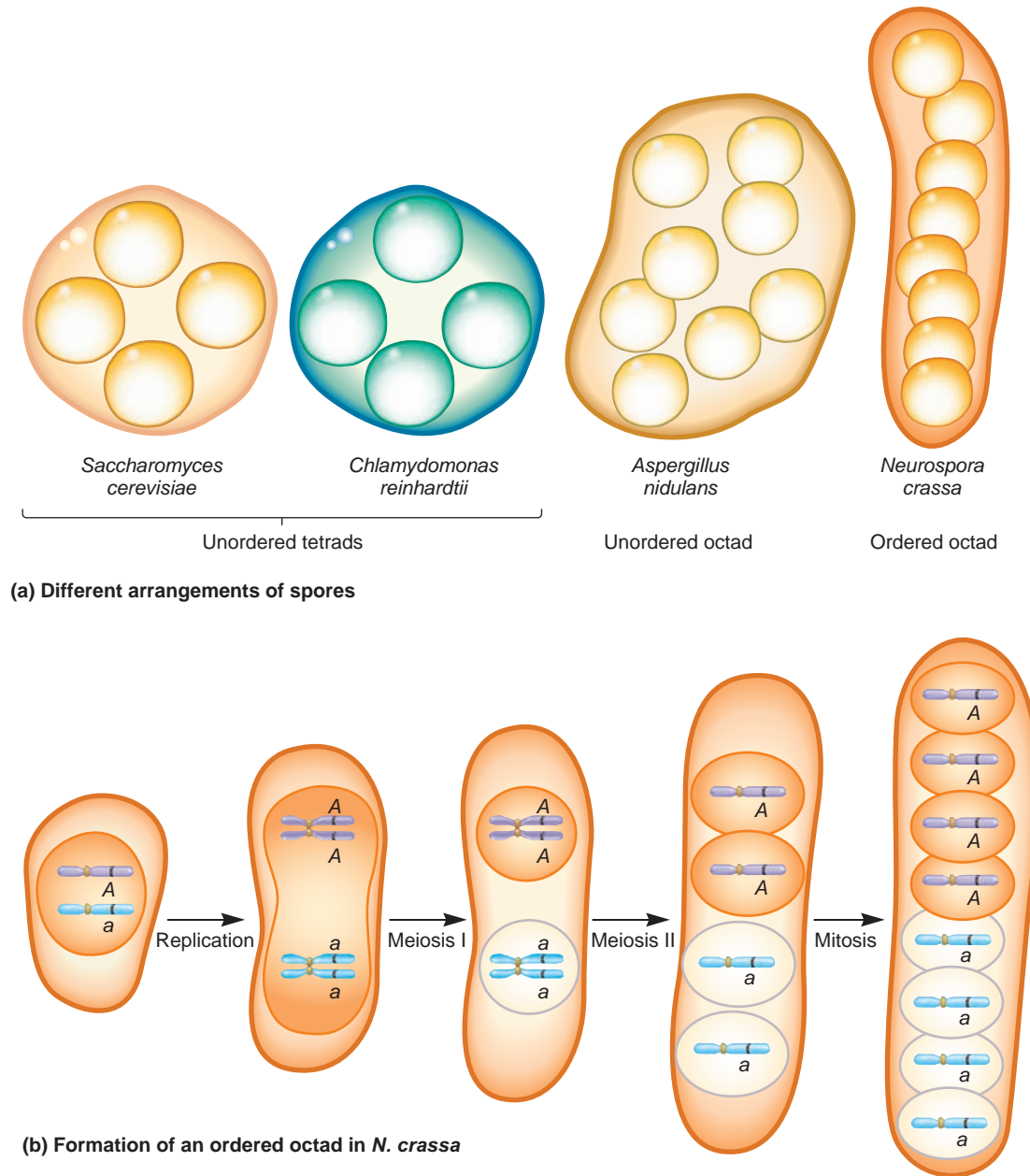


FIGURE 6.13 Arrangement of spores within asci of different species. (a) *Saccharomyces cerevisiae* and *Chlamydomonas reinhardtii* (an alga) produce unordered tetrads, *Aspergillus nidulans* produces an unordered octad, and *Neurospora crassa* produces an ordered octad. (b) Ordered octads are produced in *N. crassa* by meiosis and mitosis in such a way that the eight resulting cells are arranged linearly.

crossover, the ascus will contain a 2:2:2:2 or 2:4:2 pattern. These patterns are called **second-division segregation (SDS)**, or M2 patterns. In this case, the *A* and *a* alleles do not segregate until the second meiotic division is completed.

Because a pattern of second-division segregation is a result of crossing over, the percentage of SDS asci can be used to calculate the map distance between the centromere and the gene of interest. To understand why this is possible, let's consider the relationship between a crossover site and the centromere. As shown in **Figure 6.15**, a crossover will separate a gene from its original centromere only if it begins in the region between the

centromere and that gene. Therefore, the chances of getting a 2:2:2:2 or 2:4:2 pattern depend on the distance between the gene of interest and the centromere.

To determine the map distance between the centromere and a gene, the experimenter must count the number of SDS asci and the total number of asci. In SDS asci, only half of the spores are actually the product of a crossover. Therefore, the map distance between the gene of interest and the centromere is calculated as

$$\text{Map distance} = \frac{(1/2) (\text{Number of SDS asci})}{\text{Total number of asci}} \times 100$$

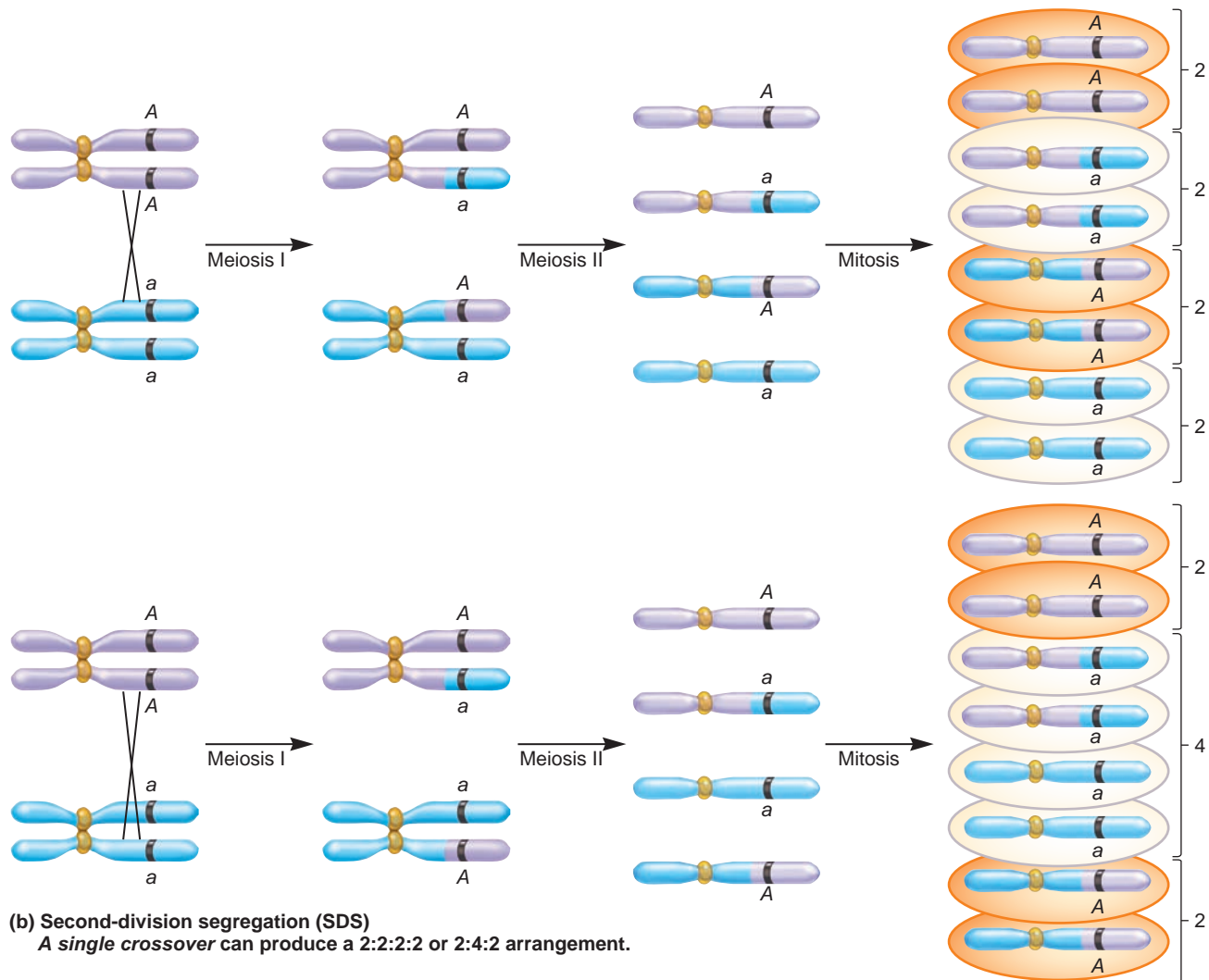
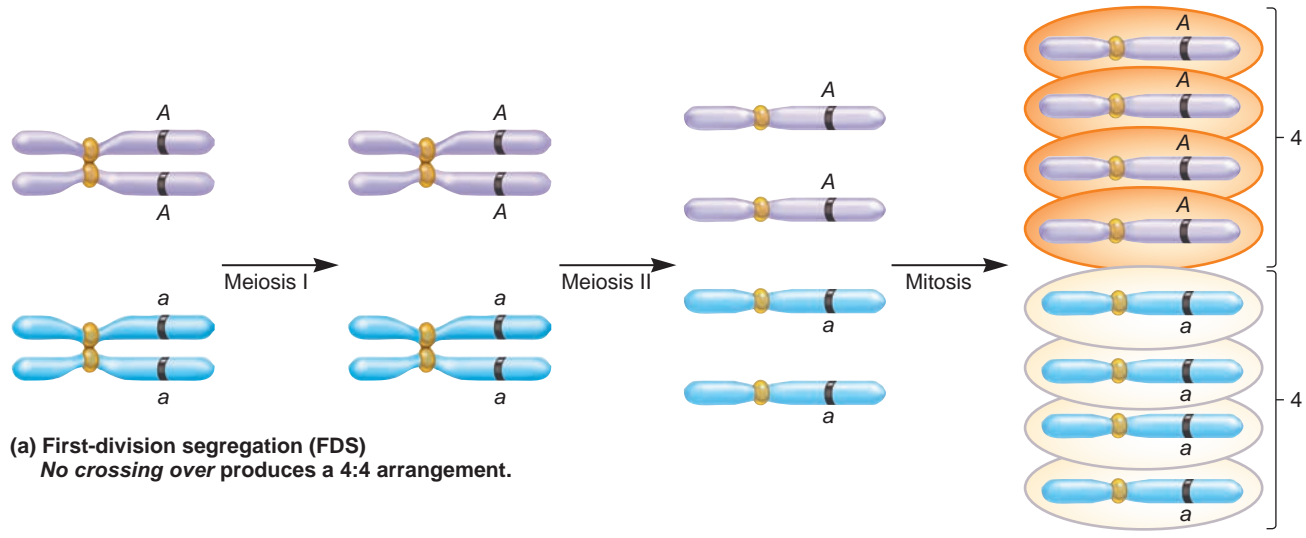


FIGURE 6.14 A comparison of the arrangement of cells within an ordered octad, depending on whether or not crossing over has occurred. (a) If no crossing over has occurred, the octad will have a 4:4 arrangement of spores known as an FDS or M1 pattern. (b) If a crossover has occurred between the centromere and the gene of interest, a 2:2:2:2 or 2:4:2 pattern, known as an SDS or M2 pattern, is observed.

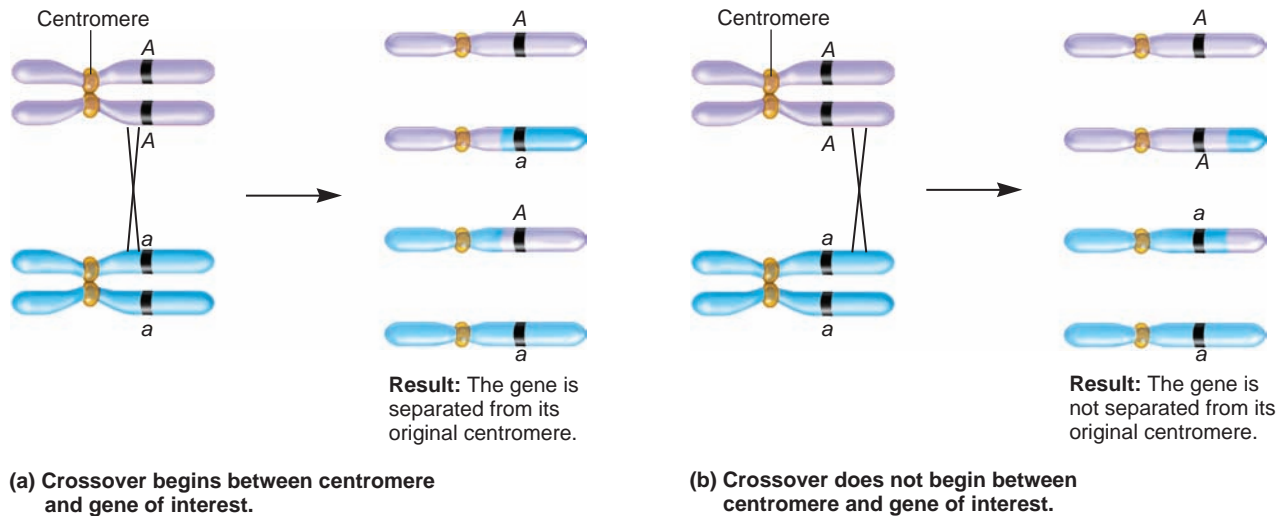


FIGURE 6.15 The relationship between a crossover site and the separation of an allele from its original centromere. (a) If a crossover initially forms between the centromere and the gene of interest, the gene will be separated from its original centromere. (b) If a crossover initiates outside this region, the gene will remain attached to its original centromere.

Unordered Tetrad Analysis Can Be Used to Map Genes in Dihybrid Crosses

Unordered tetrads contain a group of spores that are the product of meiosis and randomly arranged in an ascus. An experimenter can conduct a dihybrid cross, remove the spores from each ascus, and

determine the phenotypes of the spores. This analysis can determine if two genes are linked or assort independently. If two genes are linked, a tetrad analysis can also be used to compute map distance.

Figure 6.16 illustrates the possible outcomes starting with two haploid yeast strains. One strain carries the wild-type alleles *ura*⁺ and *arg*⁺, which are required for uracil and arginine biosynthesis,

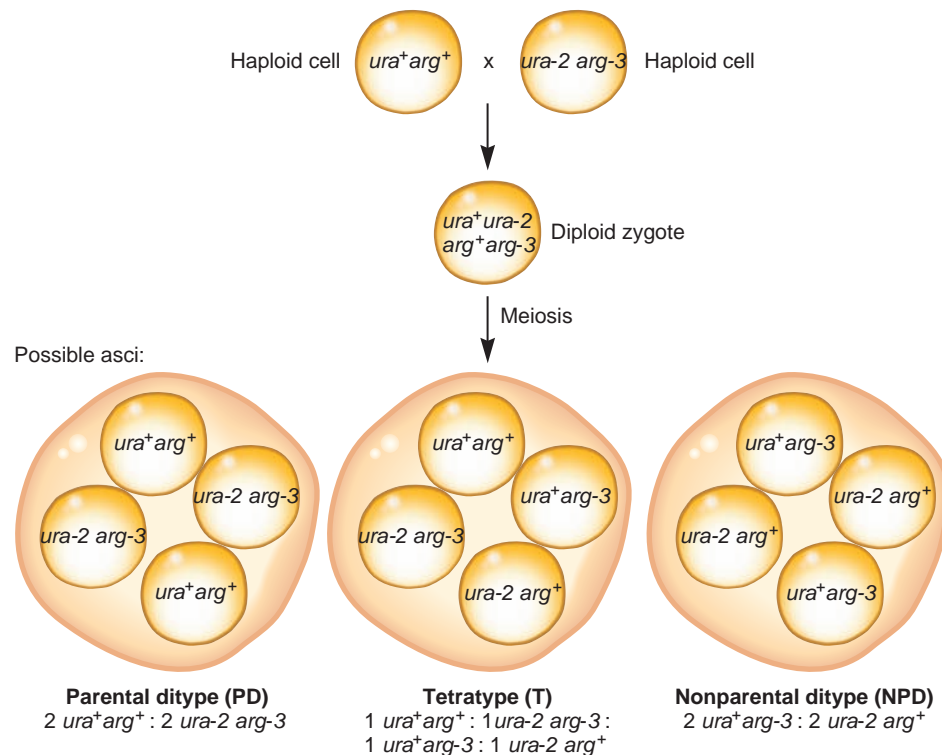


FIGURE 6.16 The assortment of two genes in an unordered tetrad. If the tetrad contains 100% parental cells, this ascus has the parental ditype (PD). If it contains 50% parental and 50% recombinant cells, it is a tetratype (T). Finally, an ascus with 100% recombinant cells is called a nonparental ditype (NPD). This figure does not illustrate the chromosomal locations of the alleles. In this type of experiment, the goal is to determine whether the two genes are linked on the same chromosome.

respectively. The other strain has defective alleles *ura-2* and *arg-3*; these result in yeast strains that require uracil and arginine in the growth medium. A diploid zygote with the genotype *ura⁺ura-2 arg⁺arg-3* was produced from the fusion of haploid cells from these two strains. The diploid cell then proceeds through meiosis to produce four haploid cells. After the completion of meiosis, three distinct types of tetrads could be produced. One possibility is that the tetrad will contain four spores with the parental combinations of alleles.

This ascus is said to have the **parental ditype (PD)**. Alternatively, an ascus may have two parental cells and two nonparental cells, which is called a **tetratype (T)**. Finally, an ascus with a **nonparental ditype (NPD)** contains four cells with nonparental genotypes.

When two genes assort independently, the number of asci having a parental ditype is expected to equal the number having a nonparental ditype, thus yielding 50% recombinant spores. For linked genes, **Figure 6.17** illustrates the relationship between

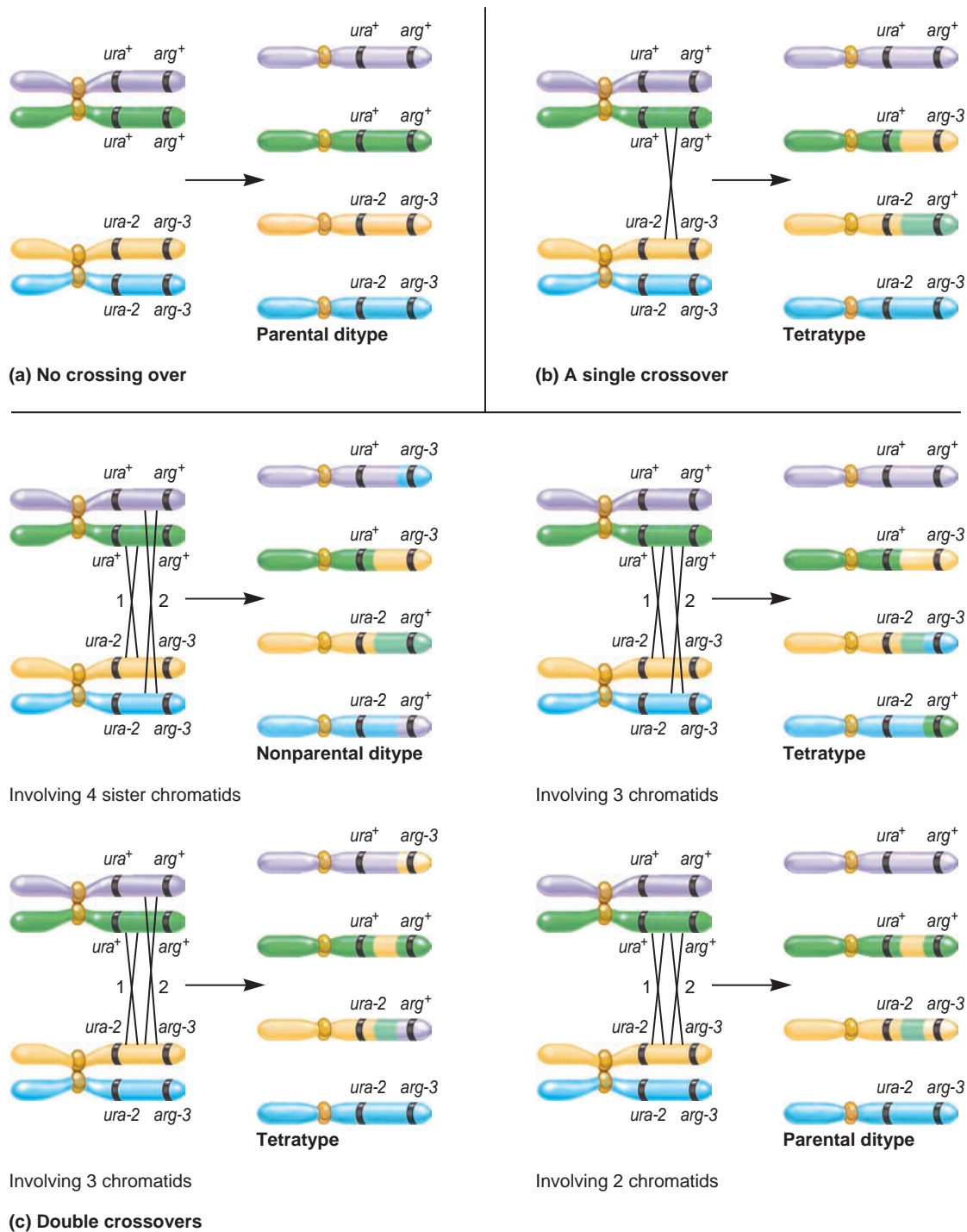


FIGURE 6.17 Relationship between crossing over and the production of the parental ditype, tetratype, and nonparental ditype for two linked genes.

crossing over and the type of ascus that will result. If no crossing over occurs in the region between the two genes, the parental ditype will be produced (Figure 6.17a). A single crossover event produces a tetratype (Figure 6.17b). Double crossovers can yield a parental ditype, tetratype, or nonparental ditype, depending on the combination of chromatids that are involved (Figure 6.17c). A nonparental ditype is produced when a double crossover involves all four chromatids. A tetratype results from a three-chromatid crossover. Finally, a double crossover between the same two chromatids produces the parental ditype.

The data from a tetrad analysis can be used to calculate the map distance between two linked genes. As in conventional mapping, the map distance is calculated as the percentage of offspring that carry recombinant chromosomes. As mentioned, a tetratype contains 50% recombinant chromosomes; a nonparental ditype, 100%. Therefore, the map distance is computed as

$$\text{Map distance} = \frac{\text{NPD} + (1/2)(T)}{\text{total number of asci}} \times 100$$

Over short map distances, this calculation provides a fairly reliable measure of distance. However, it does not adequately account for double crossovers. When two genes are far apart on the same chromosome, the calculated map distance using this equation underestimates the actual map distance due to double crossovers. Fortunately, a particular strength of tetrad analysis is that we can derive another equation that accounts for double crossovers and thereby provides a more accurate value for map distance. To begin this derivation, let's consider a more precise way to calculate map distance.

$$\text{Map distance} = \frac{\text{Single crossover tetrads} + (2)(\text{Double crossover tetrads})}{\text{Total number of asci}} \times 0.5 \times 100$$

This equation includes the number of single and double crossovers in the computation of map distance. The total number of crossovers equals the number of single crossovers plus 2 times the number of double crossovers. Overall, the tetrads that contain single and double crossovers also contain 50% nonrecombinant chromosomes. To calculate map distance, therefore, we divide the total number of crossovers by the total number of asci and multiply by 0.5 and 100.

To be useful, we need to relate this equation to the number of parental ditypes, nonparental ditypes, and tetratypes that are obtained by experimentation. To derive this relationship, we must consider the types of tetrads that are produced from no crossing over, a single crossover, and double crossovers. To do so, let's take another look at Figure 6.17. As shown there, the parental ditype and tetratype are ambiguous. The parental ditype can be derived from no crossovers or a double crossover; the tetratype can be derived from a single crossover or a double crossover. However, the nonparental ditype is unambiguous, because it can be produced only from a double crossover. We can use this observation as a way to determine the actual number of single and double crossovers. As seen in Figure 6.17, 1/4 of all the double crossovers are nonparental ditypes. Therefore, the total number of double crossovers equals four times the number of nonparental ditypes.

Next, we need to know the number of single crossovers. A single crossover yields a tetratype, but double crossovers can also yield a tetratype. Therefore, the total number of tetratypes overestimates the true number of single crossovers. Fortunately, we can compensate for this overestimation. Because two types of tetratypes are due to a double crossover, the actual number of tetratypes arising from a double crossover should equal 2NPD. Therefore, the true number of single crossovers is calculated as $T - 2\text{NPD}$.

Now we have accurate measures of both single and double crossovers. The number of single crossovers equals $T - 2\text{NPD}$, and the number of double crossovers equals 4NPD . We can substitute these values into our previous equation.

$$\begin{aligned} \text{Map distance} &= \frac{(T - 2\text{NPD}) + (2)(4\text{NPD})}{\text{Total number of asci}} \times 0.5 \times 100 \\ &= \frac{T + 6\text{NPD}}{\text{Total number of asci}} \times 0.5 \times 100 \end{aligned}$$

This equation provides a more accurate measure of map distance because it considers both single and double crossovers.

6.4 MITOTIC RECOMBINATION

Thus far, we have considered how the arrangement of linked alleles along a chromosome can be rearranged by crossing over. This event can produce cells and offspring with a nonparental combination of traits. In these previous cases, crossing over has occurred during meiosis, when the homologous chromosomes replicate and form bivalents.

In multicellular organisms, the union of egg and sperm is followed by many cellular divisions, which occur in conjunction with mitotic divisions of the cell nuclei. As discussed in Chapter 3, mitosis normally does not involve the homologous pairing of chromosomes to form a bivalent. Therefore, crossing over during mitosis is expected to occur much less frequently than during meiosis. Nevertheless, it does happen on rare occasions. Mitotic crossing-over may produce a pair of recombinant chromosomes that have a new combination of alleles, an event known as **mitotic recombination**. If it occurs during an early stage of embryonic development, the daughter cells containing the recombinant chromosomes continue to divide many times to produce a patch of tissue in the adult. This may result in a portion of tissue with characteristics different from those of the rest of the organism.

In 1936, Curt Stern identified unusual patches on the bodies of certain *Drosophila* strains. He was working with strains carrying X-linked alleles affecting body color and bristle morphology (Figure 6.18). A recessive allele confers yellow body color (y), and another recessive allele causes shorter body bristles that look singed (sn). The corresponding wild-type alleles result in gray body color (y^+) and long bristles (sn^+). Females that are $y^+y sn^+sn$ are expected to have gray body color and long bristles. This was generally the case. However, when Stern carefully observed the bodies of these female flies under a low-power microscope, he occasionally noticed places in which two adjacent regions were different from

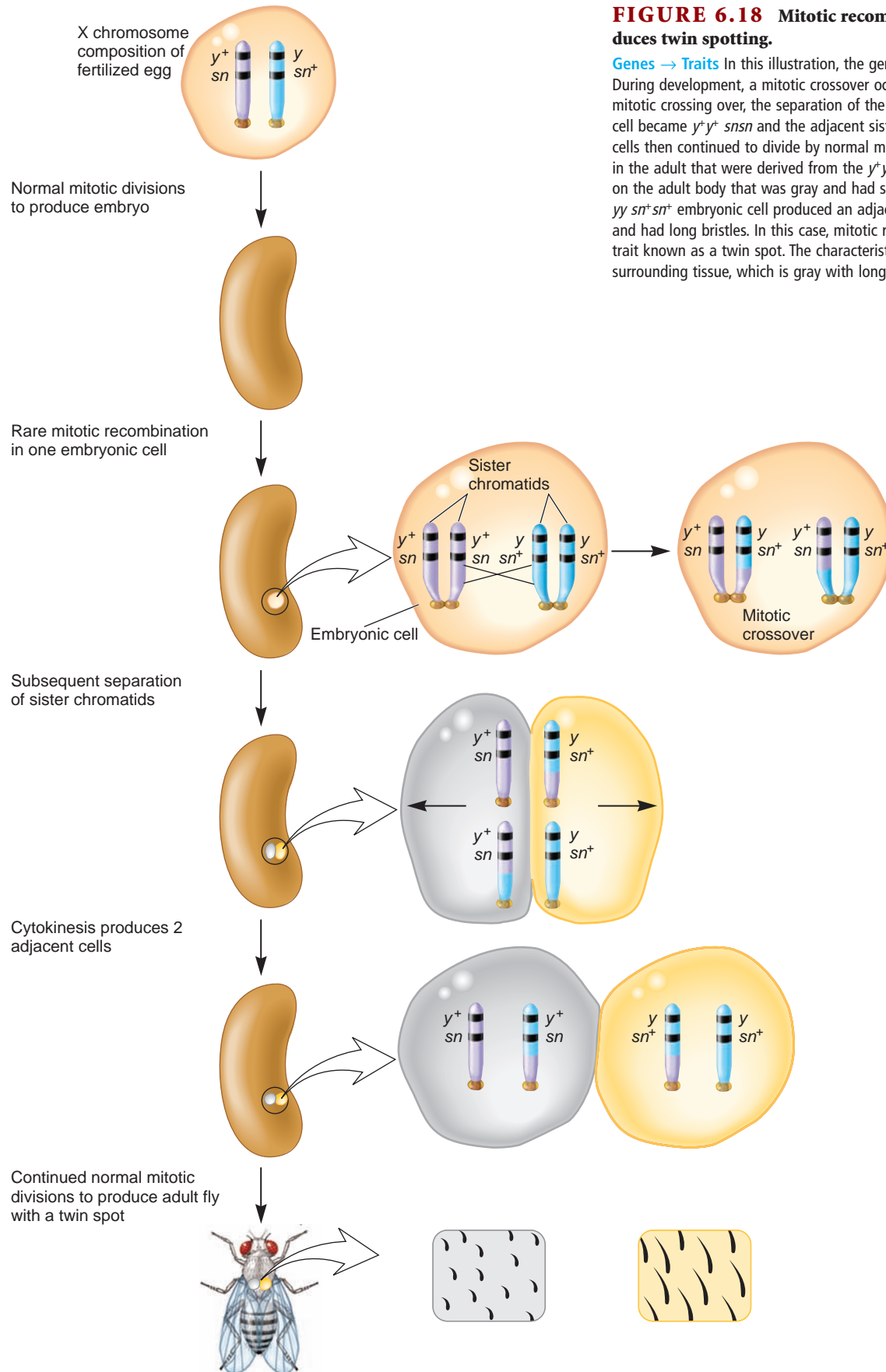


FIGURE 6.18 Mitotic recombination in *Drosophila* that produces twin spotting.

Genes → Traits In this illustration, the genotype of the fertilized egg was $y^+y sn^+sn$. During development, a mitotic crossover occurred in a single embryonic cell. After mitotic crossing over, the separation of the chromatids occurred, so one embryonic cell became $y^+y^+ snsn$ and the adjacent sister cell became $yy sn^+sn^+$. The embryonic cells then continued to divide by normal mitosis to produce an adult fly. The cells in the adult that were derived from the $y^+y^+ snsn$ embryonic cell produced a spot on the adult body that was gray and had singed bristles. The cells derived from the $yy sn^+sn^+$ embryonic cell produced an adjacent spot on the body that was yellow and had long bristles. In this case, mitotic recombination produced an unusual trait known as a twin spot. The characteristics of this twin spot differ from the surrounding tissue, which is gray with long bristles.

the rest of the body—a twin spot. He concluded that twin spotting was too frequent to be explained by the random positioning of two independent single spots that happened to occur close together. How then did Stern explain the phenomenon of twin spotting? He proposed that twin spots are due to a single mitotic recombination within one cell during embryonic development.

As shown in Figure 6.18, the X chromosomes of the fertilized egg are $y^+ sn$ and $y sn^+$. During development, a rare crossover can occur during mitosis to produce two adjacent daughter

cells that are $y^+y^+ snsn$ and $yy sn^+sn^+$. As embryonic development proceeds, the cell on the left continues to divide to produce many cells, eventually producing a patch on the body that has gray color with singed bristles. The daughter cell next to it produces a patch of yellow body color with long bristles. These two adjacent patches—a twin spot—are surrounded by cells that are $y^+y sn^+sn$ and have gray color and long bristles. Twin spots provide evidence that mitotic recombination occasionally occurs.

KEY TERMS

Page 126. genetic map, synten, genetic linkage

Page 127. linkage groups, dihybrid cross, trihybrid cross, crossing over, bivalent, genetic recombination, nonparental cells, recombinant cells, parental offspring, nonrecombinant offspring

Page 130. null hypothesis

Page 136. genetic mapping, locus

Page 137. genetic linkage map, testcross, map distance, map units (mu), centiMorgans (cM)

Page 143. positive interference, spores, tetrad, octad, ascus

Page 144. unordered tetrad, unordered octad, ordered tetrad, ordered octad, first-division segregation (FDS)

Page 145. second-division segregation (SDS)

Page 148. parental ditype (PD), tetratype (T), nonparental ditype (NPD)

Page 149. mitotic recombination

CHAPTER SUMMARY

6.1 Linkage and Crossing Over

- Synten refers to genes that are located on the same chromosome. Genetic linkage means that the alleles of two or more genes tend to be transmitted as a unit because they are relatively close on the same chromosome.
- Crossing over can change the combination of alleles along a chromosome and produce nonparental, or recombinant, cells and offspring (see Figure 6.1).
- Bateson and Punnett discovered the first example of genetic linkage in sweet peas (see Figure 6.2).
- Morgan also discovered genetic linkage in *Drosophila* and proposed that nonparental offspring are produced by crossing over during meiosis (see Figures 6.3, 6.4).
- When genes are linked, the relative proportions of nonparental offspring depends on the distance between the genes (see Figure 6.5).
- A chi square analysis can be followed to judge whether or not two genes assort independently.
- Creighton and McClintock were able to correlate the formation of nonparental offspring with the presence of chromosomes that had exchanged pieces due to crossing over (see Figures 6.6, 6.7).

6.2 Genetic Mapping in Plants and Animals

- A genetic linkage map is a diagram that portrays the order and relative spacing of genes along one or more chromosomes (see Figure 6.8).
- A testcross can be performed to map the distance between two or more genes (see Figure 6.9).

- Sturtevant was the first scientist to conduct testcrosses and map the order of a few genes along the X chromosome in *Drosophila* (see Figure 6.10).
- Due to the effects of multiple crossovers, the map distance between two genes obtained from a testcross cannot exceed 50% (see Figure 6.11).
- The data from a trihybrid cross can be used to map genes (see Table 6.1).
- Positive interference refers to the phenomenon that the number of double crossovers in a given region is less than expected based on the frequency of single crossovers.

6.3 Genetic Mapping in Haploid Eukaryotes

- Several haploid eukaryotes have been used in genetic mapping. Ascomycetes have the product of a single meiosis contained with an ascus (see Figure 6.12).
- Certain haploid species may form unordered or ordered tetrads or octads (see Figure 6.13).
- The arrangement of alleles found in spores of an ordered octad depends on whether crossing over has occurred. The arrangement can be used to map the distance between a gene and the centromere (see Figures 6.14, 6.15).
- The analysis of unordered tetrads in yeast can be used to map the distance between two linked genes (see Figure 6.16, 6.17).

6.4 Mitotic Recombination

- Mitotic recombination can occur rarely and may lead to twin spots (see Figure 6.18).

PROBLEM SETS & INSIGHTS

Solved Problems

S1. In the garden pea, orange pods (*orp*) are recessive to green pods (*Orp*), and sensitivity to pea mosaic virus (*mo*) is recessive to resistance to the virus (*Mo*). A plant with orange pods and sensitivity to the virus was crossed to a true-breeding plant with green pods and resistance to the virus. The F_1 plants were then testcrossed to plants with orange pods and sensitivity to the virus. The following results were obtained:

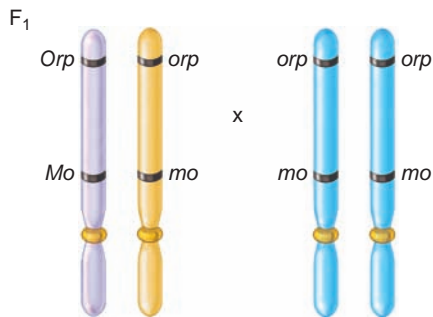
160 orange pods, virus sensitive
 165 green pods, virus resistant
 36 orange pods, virus resistant
 39 green pods, virus sensitive
 400 total

- A. Conduct a chi square analysis to see if these genes are linked.
 B. If they are linked, calculate the map distance between the two genes.

Answer:

A. Chi square analysis.

- Our hypothesis is that the genes are not linked.
- Calculate the predicted number of offspring based on the hypothesis. The testcross is



The predicted outcome of this cross under our hypothesis is a 1:1:1:1 ratio of plants with the four possible phenotypes. In other words, 1/4 should have the phenotype orange pods, virus-sensitive; 1/4 should have green pods, virus-resistant; 1/4 should have orange pods, virus-resistant; and 1/4 should have green pods, virus-sensitive. Because a total of 400 offspring were produced, our hypothesis predicts 100 offspring in each category.

3. Calculate the chi square.

$$\chi^2 = \frac{(O_1 - E_1)^2}{E_1} + \frac{(O_2 - E_2)^2}{E_2} + \frac{(O_3 - E_3)^2}{E_3} + \frac{(O_4 - E_4)^2}{E_4}$$

$$\chi^2 = \frac{(160 - 100)^2}{100} + \frac{(165 - 100)^2}{100} + \frac{(36 - 100)^2}{100} + \frac{(39 - 100)^2}{100}$$

$$\chi^2 = 36 + 42.3 + 41 + 37.2 = 156.5$$

4. Interpret the chi square value. The calculated chi square value is quite large. This indicates that the deviation between observed and expected values is very high. For 1 degree of

freedom in Table 2.1, such a large deviation is expected to occur by chance alone less than 1% of the time. Therefore, we reject the hypothesis that the genes assort independently. As an alternative, we may infer that the two genes are linked.

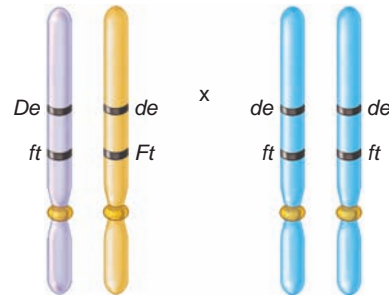
B. Calculate the map distance.

$$\begin{aligned} \text{Map distance} &= \frac{(\text{Number of nonparental offspring})}{\text{Total number of offspring}} \times 100 \\ &= \frac{36 + 39}{36 + 39 + 160 + 165} \times 100 \\ &= 18.8 \text{ mu} \end{aligned}$$

The genes are approximately 18.8 mu apart.

S2. Two recessive disorders in mice—droopy ears and flaky tail—are caused by genes that are located 6 mu apart on chromosome 3. A true-breeding mouse with normal ears (*De*) and a flaky tail (*ft*) was crossed to a true-breeding mouse with droopy ears (*de*) and a normal tail (*Ft*). The F_1 offspring were then crossed to mice with droopy ears and flaky tails. If this testcross produced 100 offspring, what is the expected outcome?

Answer: The testcross is



The parental offspring are

Dede ftft Normal ears, flaky tail

dede Ftft Droopy ears, normal tail

The recombinant offspring are

dede ftft Droopy ears, flaky tail

Dede Ftft Normal ears, normal tail

Because the two genes are located 6 mu apart on the same chromosome, 6% of the offspring will be recombinants. Therefore, the expected outcome for 100 offspring is

3 droopy ears, flaky tail

3 normal ears, normal tail

47 normal ears, flaky tail

47 droopy ears, normal tail

S3. The following X-linked recessive traits are found in fruit flies: vermilion eyes are recessive to red eyes, miniature wings are recessive to long wings, and sable body is recessive to gray body. A cross was made between wild-type males with red eyes, long wings, and gray bodies to females with vermilion eyes, miniature wings, and sable bodies. The heterozygous females from this cross, which had

red eyes, long wings, and gray bodies, were then crossed to males with vermilion eyes, miniature wings, and sable bodies. The following outcome was obtained:

Males and Females

1320 vermilion eyes, miniature wings, sable body

1346 red eyes, long wings, gray body

102 vermilion eyes, miniature wings, gray body

90 red eyes, long wings, sable body

42 vermilion eyes, long wings, gray body

48 red eyes, miniature wings, sable body

2 vermilion eyes, long wings, sable body

1 red eyes, miniature wings, gray body

A. Calculate the map distance between the three genes.

B. Is positive interference occurring?

Answer:

A. The first step is to determine the order of the three genes. We can do this by evaluating the pattern of inheritance in the double crossovers. The double crossover group occurs with the lowest frequency. Thus, the double crossovers are vermilion eyes, long wings, and sable body, and red eyes, miniature wings, and gray body. Compared with the parental combinations of alleles (vermilion eyes, miniature wings, sable body and red eyes, long wings, gray body), the gene for wing length has been reassorted. Two flies have long wings associated with vermilion eyes and sable body, and one fly has miniature wings associated with red eyes and gray body. Taken together, these results indicate that the wing length gene is found in between the eye color and body color genes.

Eye color—wing length—body color

We now calculate the distance between eye color and wing length, and between wing length and body color. To do this, we consider the data according to gene pairs:

vermilion eyes, miniature wings = 1320 + 102 = 1422

red eyes, long wings = 1346 + 90 = 1436

vermilion eyes, long wings = 42 + 2 = 44

red eyes, miniature wings = 48 + 1 = 49

The recombinants are vermilion eyes, long wings and red eyes, miniature wings. The map distance between these two genes is

$$(44 + 49)/(1422 + 1436 + 44 + 49) \times 100 = 3.2 \text{ mu}$$

Likewise, the other gene pair is wing length and body color.

miniature wings, sable body = 1320 + 48 = 1368

long wings, gray body = 1346 + 42 = 1388

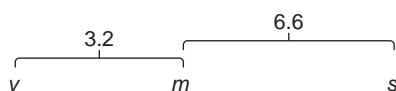
miniature wings, gray body = 102 + 1 = 103

long wings, sable body = 90 + 2 = 92

The recombinants are miniature wings, gray body and long wings, sable body. The map distance between these two genes is

$$(103 + 92)/(1368 + 1388 + 103 + 92) \times 100 = 6.6 \text{ mu}$$

With these data, we can produce the following genetic map:



B. To calculate the interference value, we must first calculate the coefficient of coincidence.

$$C = \frac{\text{Observed number of double crossovers}}{\text{Expected number of double crossovers}}$$

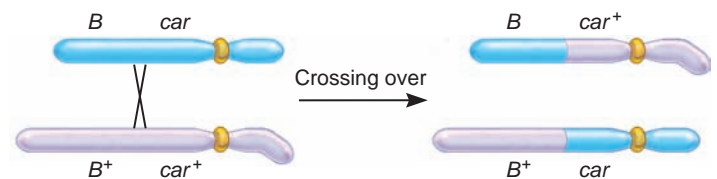
Based on our calculation of map distances in part A, the percentage of single crossovers equals 3.2% (0.032) and 6.6% (0.066). The expected number of double crossovers equals 0.032×0.066 , which is 0.002, or 0.2%. A total of 2951 offspring were produced. If we multiply 2951×0.002 , we get 5.9, which is the expected number of double crossovers. The observed number was 3. Therefore,

$$C = 3/5.9 = 0.51$$

$$I = 1 - C = 1 - 0.51 = 0.49$$

In other words, approximately 49% of the expected double crossovers did not occur due to interference.

- S4. Around the same time as the study of Creighton and McClintock, described in Figure 6.7, Curt Stern conducted similar experiments with *Drosophila*. He had strains of flies with microscopically detectable abnormalities in the X chromosome. In one case, the X chromosome was shorter than normal due to a deletion at one end. In another case, the X chromosome was longer than normal because an extra piece of the Y chromosome was attached at the other end of the X chromosome, where the centromere is located. He had female flies that had both abnormal chromosomes. On the short X chromosome, a recessive allele (*car*) was located that results in carnation-colored eyes, and a dominant allele (*B*) that causes bar-shaped eyes was also found on this chromosome. On the long X chromosome were located the wild-type alleles for these two genes (designated *car*⁺ and *B*⁺), which confer red eyes and round eyes, respectively. Stern realized that a crossover between the two X chromosomes in such female flies would result in recombinant chromosomes that would be cytologically distinguishable from the parental chromosomes. If a crossover occurred between the *B* and *car* genes on the X chromosome, this is expected to produce a normal-sized X chromosome and an abnormal chromosome with a deletion at one end and an extra piece of the Y chromosome at the other end.



Stern crossed these female flies to male flies that had a normal-length X chromosome with the *car* allele and the allele for round eyes (*car* *B*⁺). Using a microscope, he could discriminate between the morphologies of parental chromosomes—like those contained within the original parental flies—and recombinant chromosomes that may be found in the offspring. What would be the predicted phenotypes and chromosome characteristics in the offspring if crossing over did or did not occur between the X chromosomes in the female flies of this cross?

Answer: To demonstrate that genetic recombination is due to crossing over, Stern needed to correlate recombinant phenotypes (due to genetic recombination) with the inheritance of recombinant chromosomes (due to crossing over). Because he knew the arrangement of alleles in the female flies, he could predict the phenotypes of parental and nonparental

offspring. The male flies could contribute the *car* and B^+ alleles (on a cytologically normal X chromosome) or contribute a Y chromosome. In the absence of crossing over, the female flies could contribute a short X chromosome with the *car* and B alleles or a long X chromosome with the car^+ and B^+ alleles. If crossing over occurred in the region between these two genes, the female flies would contribute recombinant X chromosomes. One possible recombinant X chromosome would be normal-sized and carry the *car* and B^+ alleles, and the other recombinant X chromosome would be deleted at one end with a piece of the Y chromosome at the other end and carry the car^+ and B alleles. When combined with an X or Y chromosome from the males, the parental offspring would have carnation, bar eyes or wild-type eyes; the non-parental offspring would have carnation, round eyes or red, bar eyes.

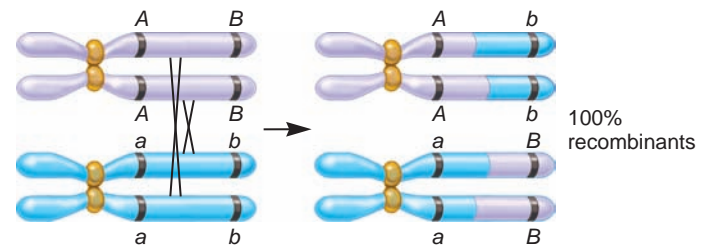
		Male gametes		Phenotype	X chromosome from female
		♂ <i>carB</i> ⁺	Y		
Female gametes	♀ <i>carB</i>	<i>carB</i> <i>carB</i> ⁺	<i>carB</i> Y	Carnation, bar eyes	Short X chromosome
	<i>car</i> ⁺ B^+	<i>car</i> ⁺ B^+ <i>carB</i> ⁺	<i>car</i> ⁺ B^+ Y	Red, round eyes	Long X chromosome with a piece of Y
	<i>carB</i> ⁺	<i>carB</i> ⁺ <i>carB</i> ⁺	<i>carB</i> ⁺ Y	Carnation, round eyes	Normal-sized X chromosome
	<i>car</i> ⁺ B	<i>car</i> ⁺ B <i>carB</i> ⁺	<i>car</i> ⁺ B Y	Red, bar eyes	Short X chromosome with a piece of Y

The results shown in the Punnett square are the actual results that Stern observed. His interpretation was that crossing over between homologous chromosomes—in this case, the X chromosome—accounts for the formation of offspring with recombinant phenotypes.

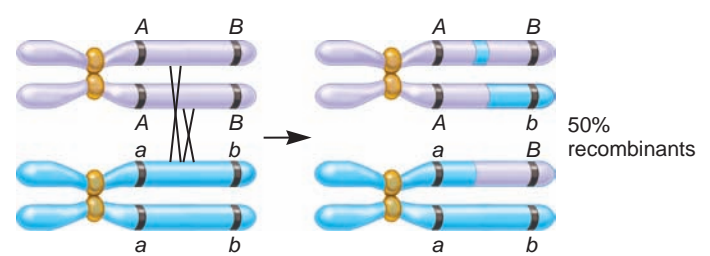
55. Researchers have discovered a limit to the relationship between map distance and the percentage of recombinant offspring. Even though two genes on the same chromosome may be much more than 50 mu apart, we do not expect to obtain greater than 50% recombinant offspring in a testcross. You may be wondering why this is so. The answer lies in the pattern of multiple crossovers. At the pachytene stage of meiosis, a single crossover in the region between two genes produces only 50% recombinant chromosomes (see Figure 6.1b). Therefore, to exceed a 50% recombinant level, it would seem necessary to have multiple crossovers within the tetrad.

Let's suppose that two genes are far apart on the same chromosome. A testcross is made between a heterozygous individual, $AaBb$, and a homozygous individual, $aabb$. In the heterozygous individual, the dominant alleles (A and B) are linked on the same chromosome, and the recessive alleles (a and b) are linked on the same chromosome. Draw out all of the possible double crossovers (between two, three, or four chromatids) and determine the average number of recombinant offspring, assuming an equal probability of all of the double crossover possibilities.

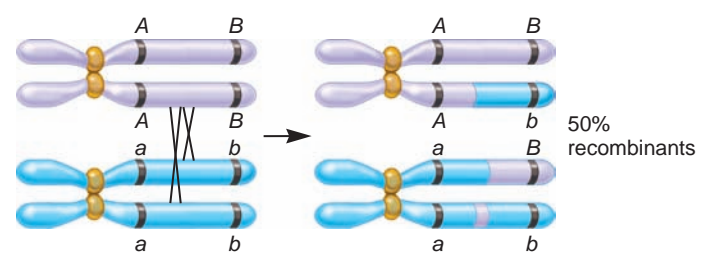
Answer: A double crossover between the two genes could involve two chromatids, three chromatids, or four chromatids. The possibilities for all types of double crossovers are shown here:



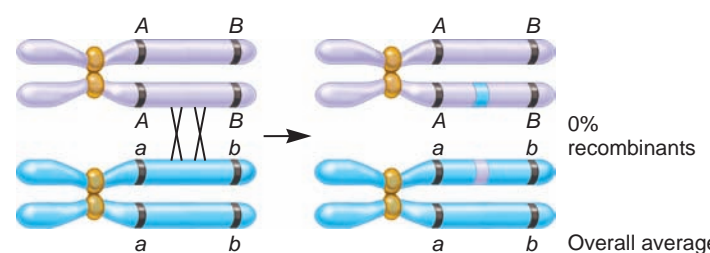
Double crossover (involving 4 chromatids)



Double crossover (involving 3 chromatids)



Double crossover (involving 3 chromatids)



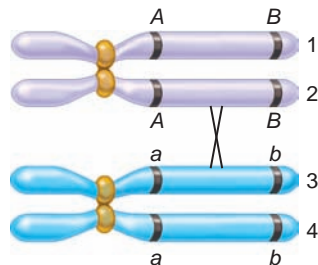
Double crossover (involving 2 chromatids)

Overall average is 50% for all 4 possibilities.

This drawing considers the situation where two crossovers are expected to occur in the region between the two genes. Because the tetrad is composed of two pairs of homologs, a double crossover between homologs could occur in several possible ways. In this illustration, the crossover on the right has occurred first. Because all of these double crossing over events are equally probable, we take the average of them to determine the maximum recombination frequency. This average equals 50%.

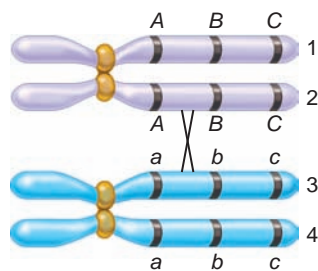
Conceptual Questions

- C1. What is the difference in meaning between the terms genetic recombination and crossing over?
- C2. When applying a chi square approach in a linkage problem, explain why an independent assortment hypothesis is used.
- C3. What is mitotic recombination? A heterozygous individual (Bb) with brown eyes has one eye with a small patch of blue. Provide two or more explanations for how the blue patch may have occurred.
- C4. Mitotic recombination can occasionally produce a twin spot. Let's suppose an animal species can be heterozygous for two genes that govern fur color and length: One gene affects pigmentation, with dark pigmentation (A) dominant to albino (a); the other gene affects hair length, with long hair (L) dominant to short hair (l). The two genes are linked on the same chromosome. Let's assume an animal is $AaLl$; A is linked to l , and a is linked to L . Draw the chromosomes labeled with these alleles, and explain how mitotic recombination could produce a twin spot with one spot having albino pigmentation and long fur, the other having dark pigmentation and short fur.
- C5. A crossover has occurred in the bivalent shown here.



If a second crossover occurs in the same region between these two genes, which two chromatids would be involved to produce the following outcomes?

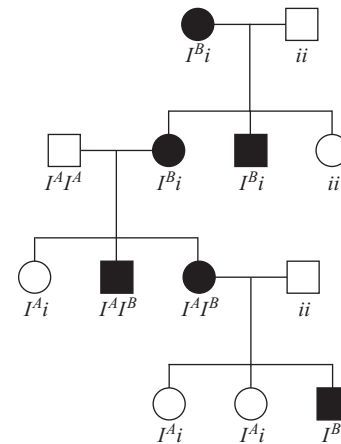
- A. 100% recombinants
 B. 0% recombinants
 C. 50% recombinants
- C6. A crossover has occurred in the bivalent shown here.



What is the outcome of this single crossover event? If a second crossover occurs somewhere between A and C , explain which two chromatids it would involve and where it would occur (i.e., between which two genes) to produce the types of chromosomes shown here:

- A. $A B C$, $A b C$, $a B c$, and $a b c$
 B. $A b c$, $A b c$, $a B C$, and $a B C$
 C. $A B c$, $A b c$, $a B C$, and $a b c$
 D. $A B C$, $A B C$, $a b c$, and $a b c$

- C7. A diploid organism has a total of 14 chromosomes and about 20,000 genes per haploid genome. Approximately how many genes are in each linkage group?
- C8. If you try to throw a basketball into a basket, the likelihood of succeeding depends on the size of the basket. It is more likely that you will get the ball into the basket if the basket is bigger. In your own words, explain how this analogy also applies to the idea that the likelihood of crossing over is greater when two genes are far apart than when they are close together.
- C9. By conducting testcrosses, researchers have found that the sweet pea has seven linkage groups. How many chromosomes would you expect to find in leaf cells?
- C10. In humans, a rare dominant disorder known as nail-patella syndrome causes abnormalities in the fingernails, toenails, and kneecaps. Researchers have examined family pedigrees with regard to this disorder and, within the same pedigree, also examined the individuals with regard to their blood types. (A description of blood genotypes is found in Chapter 4.) In the following pedigree, individuals affected with nail-patella disorder are shown with filled symbols. The genotype of each individual with regard to their ABO blood type is also shown. Does this pedigree suggest any linkage between the gene that causes nail-patella syndrome and the gene that causes blood type?



- C11. When true-breeding mice with brown fur and short tails ($BBtt$) were crossed to true-breeding mice with white fur and long tails ($bbTT$), all F_1 offspring had brown fur and long tails. The F_1 offspring were crossed to mice with white fur and short tails. What are the possible phenotypes of the F_2 offspring? Which F_2 offspring are recombinant, and which are nonrecombinant? What are the ratios of the F_2 offspring if independent assortment is taking place? How are the ratios affected by linkage?
- C12. Though we often think of genes in terms of the phenotypes they produce (e.g., curly leaves, flaky tail, brown eyes), the molecular function of most genes is to encode proteins. Many cellular proteins function as enzymes. The table that follows describes the map distances between six different genes that encode six different enzymes: *Ada*, adenosine deaminase; *Hao-1*, hydroxyacid oxidase-1; *Hdc*, histidine decarboxylase; *Odc-2*, ornithine decarboxylase-2; *Sdh-1*, sorbitol dehydrogenase-1; and *Ass-1*, arginosuccinate synthetase-1.

Map distances between two genes:

	<i>Ada</i>	<i>Hao-1</i>	<i>Hdc</i>	<i>Odc-2</i>	<i>Sdh-1</i>	<i>Ass-1</i>
<i>Ada</i>		14		8	28	
<i>Hao-1</i>	14		9		14	
<i>Hdc</i>		9		15	5	
<i>Odc-2</i>	8		15			63
<i>Sdh-1</i>	28	14	5			43
<i>Ass-1</i>				63	43	

Construct a genetic map that describes the locations of all six genes.

- C13. If the likelihood of a single crossover in a particular chromosomal region is 10%, what is the theoretical likelihood of a double or triple crossover in that same region? How would positive interference affect these theoretical values?
- C14. Except for fungi that form asci, in most dihybrid crosses involving linked genes, we cannot tell if a double crossover between the two genes has occurred because the offspring will inherit the parental combination of alleles. How does the inability to detect double crossovers affect the calculation of map distance? Is map distance underestimated or overestimated because of our inability to detect double crossovers? Explain your answer.
- C15. Researchers have discovered that some regions of chromosomes are much more likely than others to cross over. We might call such a region a “hot spot” for crossing over. Let’s suppose that

two genes, gene *A* and gene *B*, are 5,000,000 bp apart on the same chromosome. Genes *A* and *B* are in a hot spot for crossing over. Two other genes, let’s call them gene *C* and gene *D*, are also 5,000,000 bp apart but are not in a hot spot for recombination. If we conducted dihybrid crosses to compute the map distance between genes *A* and *B*, and other dihybrid crosses to compute the map distance between genes *C* and *D*, would the map distances be the same between *A* and *B* compared with to *C* and *D*? Explain.

- C16. Describe the unique features of ascomycetes that lend themselves to genetic analysis.
- C17. In fungi, what is the difference between a tetrad and an octad? What cellular process occurs in an octad that does not occur in a tetrad?
- C18. Explain the difference between an unordered versus an ordered octad.
- C19. In *Neurospora*, a cross is made between a wild-type and an albino mutant strain, which produce orange and white spores, respectively. Draw two different ways that an octad might look if it was displaying second-division segregation.
- C20. One gene in *Neurospora*, let’s call it gene *A*, is located close to a centromere, and a second gene, gene *B*, is located more toward the end of the chromosome. Would the percentage of octads exhibiting first-division segregation be higher with respect to gene *A* or gene *B*? Explain your answer.

Experimental Questions (Includes Most Mapping Questions)

- E1. Figure 6.2 shows the first experimental results that indicated linkage between two different genes. Conduct a chi square analysis to confirm that the genes are really linked and the data could not be explained by independent assortment.
- E2. In the experiment of Figure 6.7, the researchers followed the inheritance pattern of chromosomes that were abnormal at both ends to correlate genetic recombination with the physical exchange of chromosome pieces. Is it necessary to use a chromosome that is abnormal at both ends, or could the researchers have used a parental strain with two abnormal versions of chromosome 9, one with a knob at one end and its homolog with a translocation at the other end?
- E3. The experiment of Figure 6.7 is not like a standard testcross, because neither parent is homozygous recessive for both genes. If you were going to carry out this same kind of experiment to verify that crossing over can explain the recombination of alleles of different genes, how would you modify this experiment to make it a standard testcross? For both parents, you should designate which alleles are found on an abnormal chromosome (i.e., knobbed, translocation chromosome 9) and which alleles are found on normal chromosomes.
- E4. How would you determine that genes in mammals are located on the Y chromosome linkage group? Is it possible to conduct crosses (let’s say in mice) to map the distances between genes along the Y chromosome? Explain.
- E5. Explain the rationale behind a testcross. Is it necessary for one of the parents to be homozygous recessive for the genes of interest?
- In the heterozygous parent of a testcross, must all of the dominant alleles be linked on the same chromosome and all of the recessive alleles be linked on the homolog?
- E6. In your own words, explain why a testcross cannot produce more than 50% recombinant offspring. When a testcross does produce 50% recombinant offspring, what do these results mean?
- E7. Explain why the percentage of recombinant offspring in a testcross is a more accurate measure of map distance when two genes are close together. When two genes are far apart, is the percentage of recombinant offspring an underestimate or overestimate of the actual map distance?
- E8. If two genes are more than 50 mu apart, how would you ever be able to show experimentally that they are located on the same chromosome?
- E9. In Morgan’s trihybrid testcross of Figure 6.3, he realized that crossing over was more frequent between the eye color and wing length genes than between the body color and eye color genes. Explain how he determined this.
- E10. In the experiment of Figure 6.10, list the gene pairs from the particular dihybrid crosses that Sturtevant used to construct his genetic map.
- E11. In the tomato, red fruit (*R*) is dominant over yellow fruit (*r*), and yellow flowers (*Wf*) are dominant over white flowers (*wf*). A cross was made between true-breeding plants with red fruit and yellow flowers, and plants with yellow fruit and white flowers. The F_1 generation plants were then crossed to plants with yellow fruit and white flowers. The following results were obtained:

- 333 red fruit, yellow flowers
 64 red fruit, white flowers
 58 yellow fruit, yellow flowers
 350 yellow fruit, white flowers

Calculate the map distance between the two genes.

- E12. Two genes are located on the same chromosome and are known to be 12 mu apart. An *AABB* individual was crossed to an *aabb* individual to produce *AaBb* offspring. The *AaBb* offspring were then crossed to *aabb* individuals.
- A. If this cross produces 1000 offspring, what are the predicted numbers of offspring with each of the four genotypes: *AaBb*, *Aabb*, *aaBb*, and *aabb*?
- B. What would be the predicted numbers of offspring with these four genotypes if the parental generation had been *AAbb* and *aaBB* instead of *AABB* and *aabb*?
- E13. Two genes, designated *A* and *B*, are located 10 mu from each other. A third gene, designated *C*, is located 15 mu from *B* and 5 mu from *A*. The parental generation consisting of *AA bb CC* and *aa BB cc* individuals were crossed to each other. The F_1 heterozygotes were then testcrossed to *aa bb cc* individuals. If we assume no double crossovers occur in this region, what percentage of offspring would you expect with the following genotypes?
- A. *Aa Bb Cc*
 B. *aa Bb Cc*
 C. *Aa bb cc*
- E14. Two genes in tomatoes are 61 mu apart; normal fruit (*F*) is dominant to fasciated fruit (*f*), and normal numbers of leaves (*Lf*) is dominant to leafy (*lf*). A true-breeding plant with normal leaves and fruit was crossed to a leafy plant with fasciated fruit. The F_1 offspring were then crossed to leafy plants with fasciated fruit. If this cross produced 600 offspring, what are the expected numbers of plants in each of the four possible categories: normal leaves, normal fruit; normal leaves, fasciated fruit; leafy, normal fruit; and leafy, fasciated fruit?
- E15. In the tomato, three genes are linked on the same chromosome. Tall is dominant to dwarf, skin that is smooth is dominant to skin that is peachy, and fruit with a normal tomato shape is dominant to oblate shape. A plant that is true-breeding for the dominant traits was crossed to a dwarf plant with peachy skin and oblate fruit. The F_1 plants were then testcrossed to dwarf plants with peachy skin and oblate fruit. The following results were obtained:
- 151 tall, smooth, normal
 33 tall, smooth, oblate
 11 tall, peach, oblate
 2 tall, peach, normal
 155 dwarf, peach, oblate
 29 dwarf, peach, normal
 12 dwarf, smooth, normal
 0 dwarf, smooth, oblate
- Construct a genetic map that describes the order of these three genes and the distances between them.
- E16. A trait in garden peas involves the curling of leaves. A dihybrid cross was made involving a plant with yellow pods and curling leaves to a wild-type plant with green pods and normal leaves. All F_1 offspring had green pods and normal leaves. The F_1 plants were then crossed to plants with yellow pods and curling leaves. The following results were obtained:
- 117 green pods, normal leaves
 115 yellow pods, curling leaves
 78 green pods, curling leaves
 80 yellow pods, normal leaves
- A. Conduct a chi square analysis to determine if these two genes are linked.
- B. If they are linked, calculate the map distance between the two genes. How accurate do you think this distance is?
- E17. In mice, the gene that encodes the enzyme inosine triphosphatase is 12 mu from the gene that encodes the enzyme ornithine decarboxylase. Suppose you have identified a strain of mice homozygous for a defective inosine triphosphatase gene that does not produce any of this enzyme and is also homozygous for a defective ornithine decarboxylase gene. In other words, this strain of mice cannot make either enzyme. You crossed this homozygous recessive strain to a normal strain of mice to produce heterozygotes. The heterozygotes were then backcrossed to the strain that cannot produce either enzyme. What is the probability of obtaining a mouse that cannot make either enzyme?
- E18. In the garden pea, several different genes affect pod characteristics. A gene affecting pod color (green is dominant to yellow) is approximately 7 mu away from a gene affecting pod width (wide is dominant to narrow). Both genes are located on chromosome 5. A third gene, located on chromosome 4, affects pod length (long is dominant to short). A true-breeding wild-type plant (green, wide, long pods) was crossed to a plant with yellow, narrow, short pods. The F_1 offspring were then testcrossed to plants with yellow, narrow, short pods. If the testcross produced 800 offspring, what are the expected numbers of the eight possible phenotypic combinations?
- E19. A sex-influenced trait is dominant in males and causes bushy tails. The same trait is recessive in females and results in a normal tail. Fur color is not sex influenced. Yellow fur is dominant to white fur. A true-breeding female with a bushy tail and yellow fur was crossed to a white male without a bushy tail. The F_1 females were then crossed to white males without bushy tails. The following results were obtained:
- | Males | Females |
|-------------------------|--------------------------|
| 28 normal tails, yellow | 102 normal tails, yellow |
| 72 normal tails, white | 96 normal tails, white |
| 68 bushy tails, yellow | 0 bushy tails, yellow |
| 29 bushy tails, white | 0 bushy tails, white |
- A. Conduct a chi square analysis to determine if these two genes are linked.
- B. If the genes are linked, calculate the map distance between them. Explain which data you used in your calculation.

E20. Three recessive traits in garden pea plants are as follows: yellow pods are recessive to green pods, bluish green seedlings are recessive to green seedlings, creeper (a plant that cannot stand up) is recessive to normal. A true-breeding normal plant with green pods and green seedlings was crossed to a creeper with yellow pods and bluish green seedlings. The F_1 plants were then crossed to creepers with yellow pods and bluish green seedlings. The following results were obtained:

- 2059 green pods, green seedlings, normal
- 151 green pods, green seedlings, creeper
- 281 green pods, bluish green seedlings, normal
- 15 green pods, bluish green seedlings, creeper
- 2041 yellow pods, bluish green seedlings, creeper
- 157 yellow pods, bluish green seedlings, normal
- 282 yellow pods, green seedlings, creeper
- 11 yellow pods, green seedlings, normal

Construct a genetic map that describes the map distance between these three genes.

E21. In mice, a trait called snubnose is recessive to a wild-type nose, a trait called pintail is dominant to a normal tail, and a trait called jerker (a defect in motor skills) is recessive to a normal gait. Jerker mice with a snubnose and pintail were crossed to normal mice, and then the F_1 mice were crossed to jerker mice that have a snubnose and normal tail. The outcome of this cross was as follows:

- 560 jerker, snubnose, pintail
- 548 normal gait, normal nose, normal tail
- 102 jerker, snubnose, normal tail
- 104 normal gait, normal nose, pintail
- 77 jerker, normal nose, normal tail
- 71 normal gait, snubnose, pintail
- 11 jerker, normal nose, pintail
- 9 normal gait, snubnose, normal tail

Construct a genetic map that describes the order and distance between these genes.

E22. In *Drosophila*, an allele causing vestigial wings is 12.5 mu away from another gene that causes purple eyes. A third gene that affects body color has an allele that causes black body color. This third gene is 18.5 mu away from the vestigial wings gene and 6 mu away from the gene causing purple eyes. The alleles causing vestigial wings, purple eyes, and black body are all recessive. The dominant (wild-type) traits are long wings, red eyes, and gray body. A researcher crossed wild-type flies to flies with vestigial wings, purple eyes, and black bodies. All F_1 flies were wild type. F_1 female flies were then crossed to male flies with vestigial wings, purple eyes, and black bodies. If 1000 offspring were observed, what are the expected numbers of the following types of flies?

- Long wings, red eyes, gray body
- Long wings, purple eyes, gray body
- Long wings, red eyes, black body

Long wings, purple eyes, black body

Short wings, red eyes, gray body

Short wings, purple eyes, gray body

Short wings, red eyes, black body

Short wings, purple eyes, black body

Which kinds of flies can be produced only by a double crossover event?

E23. Three autosomal genes are linked along the same chromosome. The distance between gene *A* and *B* is 7 mu, the distance between *B* and *C* is 11 mu, and the distance between *A* and *C* is 4 mu. An individual who is *AA bb CC* was crossed to an individual who is *aa BB cc* to produce heterozygous F_1 offspring. The F_1 offspring were then crossed to homozygous *aa bb cc* individuals to produce F_2 offspring.

- A. Draw the arrangement of alleles on the chromosomes in the parents and in the F_1 offspring.
- B. Where would a crossover have to occur to produce an F_2 offspring that was heterozygous for all three genes?
- C. If we assume that no double crossovers occur in this region, what percentage of F_2 offspring is likely to be homozygous for all three genes?

E24. Let's suppose that two different X-linked genes exist in mice, designated with the letters *N* and *L*. Gene *N* exists in a dominant, normal allele and in a recessive allele, *n*, that is lethal. Similarly, gene *L* exists in a dominant, normal allele and in a recessive allele, *l*, that is lethal. Heterozygous females are normal, but males that carry either recessive allele are born dead. Explain whether or not it would be possible to map the distance between these two genes by making crosses and analyzing the number of living and dead offspring. You may assume that you have strains of mice in which females are heterozygous for one or both genes.

E25. The alleles *his-5* and *lys-1*, found in baker's yeast, result in cells that require histidine and lysine for growth, respectively. A cross was made between two haploid yeast strains that are *his-5 lys-1* and *his⁺ lys⁺*. From the analysis of 818 individual tetrads, the following numbers of tetrads were obtained:

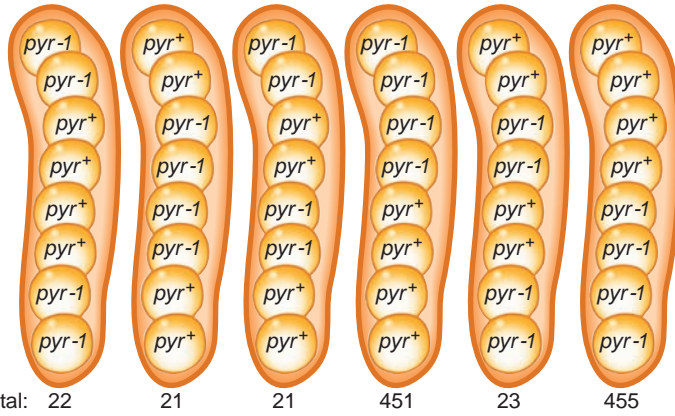
$$2 \text{ spores: } his-5 \ lys^+ + 2 \text{ spores: } his^+ \ lys-1 = 4$$

$$2 \text{ spores: } his-5 \ lys-1 + 2 \text{ spores: } his^+ \ lys^+ = 502$$

$$1 \text{ spore: } his-5 \ lys-1 + 1 \text{ spore: } his-5 \ lys^+ + 1 \text{ spore: } his^+ \ lys-1 + 1 \text{ spore: } his^+ \ lys^+ = 312$$

- A. Compute the map distance between these two genes using the method of calculation that considers double crossovers and the one that does not. Which method gives a higher value? Explain why.
- B. What is the frequency of single crossovers between these two genes?
- C. Based on your answer to part B, how many NPDs are expected from this cross? Explain your answer. Is positive interference occurring?

E26. On chromosome 4 in *Neurospora*, the allele *pyr-1* results in a pyrimidine requirement for growth. A cross was made between a *pyr-1* and a *pyr*⁺ (wild-type) strain, and the following results were obtained:



What is the distance between the *pyr-1* gene and the centromere?

E27. On chromosome 3 in *Neurospora*, the *pro-1* allele is located approximately 9.8 mu from the centromere. Let's suppose a cross was made between a *pro-1* and a *pro*⁺ strain and 1000 asci were analyzed.

- A. What are the six types of asci that can be produced?
- B. What are the expected numbers of each type of ascus?

Questions for Student Discussion/Collaboration

1. In mice, a dominant gene that causes a short tail is located on chromosome 2. On chromosome 3, a recessive gene causing droopy ears is 6 mu away from another recessive gene that causes a flaky tail. A recessive gene that causes a jerker (uncoordinated) phenotype is located on chromosome 4. A jerker mouse with droopy ears and a short, flaky tail was crossed to a normal mouse. All F₁ generation mice were phenotypically normal, except they had short tails. These F₁ mice were then testcrossed to jerker mice with droopy ears and long, flaky tails. If this cross produced 400 offspring, what would be the proportions of the 16 possible phenotypic categories?
2. In Chapter 3, we discussed the idea that the X and Y chromosomes have a few genes in common. These genes are inherited in a pseudoautosomal pattern. With this phenomenon in mind, discuss whether or not the X and Y chromosomes are really distinct linkage groups.

3. Mendel studied seven traits in pea plants, and the garden pea happens to have seven different chromosomes. It has been pointed out that Mendel was very lucky not to have conducted crosses involving two traits governed by genes that are closely linked on the same chromosome because the results would have confounded his theory of independent assortment. It has even been suggested that Mendel may not have published data involving traits that were linked! An article by Stig Blixt ("Why Didn't Gregor Mendel Find Linkage?" *Nature* 256:206, 1975) considers this issue. Look up this article and discuss why Mendel did not find linkage.

Note: All answers appear at the website for this textbook; the answers to even-numbered questions are in the back of the textbook.

www.mhhe.com/brookergenetics4e

Visit the website for practice tests, answer keys, and other learning aids for this chapter. Enhance your understanding of genetics with our interactive exercises, quizzes, animations, and much more.